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Primary mathematical skills in Egypt and England

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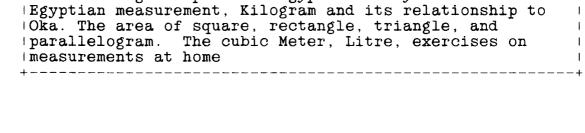
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APPENDIX (I) Primary arithmetical curriculum framework for 1916

Primary arithmetical curriculum framework for 1916			
 First year	 Second year	Third year	
Subtraction not exceeding 9, reading the number until 9. Division of number into equal parts from 2-9, writing, reading numbers to 100. The four rules in money, simple multiplication and simple division based on addition and subtraction using simple numbers.	Reading, writing the numbers to 10000. Addition, subt. multiplication provided that the multiplier not more than 9. Division, provided that the divisor not more than 5. multiplication provided that the multiplication provided that the multiplication provided that the multiplier not more than 99. Simple multiplication by 10, 20, 30, to 90. Exercises of the four rules in money, weight, and	110, 11, 12. simple division by 20, 130, 40 to 90. Reading, writing the numbers to a million. Simple multi., and division of 100 and its double times. Addition, subtraction,	
Fourth year			
Addition, subt. multiplication, and division of the simple decimals Egyptian money, weights, measurements. Transfer from one units to another. The four rules in it. Transfer English pound to Egyptian money. Meter as Egyptian measurement, Kilogram and its relationship to			





APPENDIX (II)
Primary arithmetical curriculum framework for 1925

+	+	++
First year	Second year	Third year
All the simple operations which on the numbers from 1 to 50 such as measurements, comparison, ratio, fraction going through the following order of difficulty. Place value-identifying for example the value of the 4 in 43 and the 3 in 43 as 4 tens and 3 units. Practice the operations of addition and subtraction. Knowing half of simple numbers, small and large numbers. Simple Ration. Meaning of zero.	Counting the previous work with numbers to 200. Using tools such as the meter rule and scales. Addition, vertically and horizontally. An difficulty. Collecting tens, provided that the result of addition was not exceeding 200. Subtraction subtrahend not exceeding 200. The teacher not to start subtraction with borrowing unless subtraction without borrowing is understood. Multiplication 9x9	Numbers up to 1000 and explanation of the way of reading the numbers. Studying the multiplication and divisions and its signs. Division by factors and understanding of remains. Subtraction operations with realizing the subtrahend and its applications. General application on the four rules with using weight, measurements, money to understand the meaning of fraction.
	that the divisor does not exceed 12	
+	+ 	++

Fourth year Fifth year

Inot exceeding five figures. I weight, money and time Divisibility by 2, 3, and 5. including fractions and of non prime number not Ratio in fraction form. | Common multiple. Fractions- | the previous four if three distinguish between decimals are known. Exercises on | and proper fractions. | simple proportion. | Cancelling of fractions. | Percentage and its | Cancelling of fractions. | Percentage and its | Addition, multiplication, | application to interest, subtraction and division of profit, and lost. Simple | fractions. Changing decimals | interest. Proportional fractions to common |fractions and converse. properties of square, triangle and their areas

Reading and writing numbers Measurements of length, Prime numbers and analysis | operations with fractions. | exceeding 100. Analysis of |Simple proportion. A*/B=C*/D| multiples of ten up to 100. | then AD=BC. Finding one of | | mathematics to relationships | with practical life | Propertion Division. Applications of Geometrical shapes and their |area, such as circle, triangle, and practical |applications.

APPENDIX (III) Primary arithmetical curriculum framework for 1930

First year	Second year	Third year
writing to 1000. Mental addition and subtraction of numbers not exceeding 20. Oral and written simple exercises on addition not exceeding 1000 of numbers where the sum does not exceed 1000 and subtraction of numbers less than 1000.	to 1000. Mental and written exercises on addition and subtraction. Simple multiplication of numbers to 9x9. Multiplication of a number of two figure and more by a one figure number, the product not exceeding 10000. Multiplying numbers by 10, 20, 30, to 90. Simple exercises of multiplication. Egyptian money.	writing to million

Fourth year Fifth year

decimal fractions. The four lits units. Percentage and rules with decimal fractions interest. Simple interest.

Prime factors. Divisors.

| Changing measurements from one |
Common multiples and their	system to another. e.g. French
calculation. Fractions,	money into Egyptian money.
proper fraction. The four	Egyptian and French weights
rules with fractions.	into others. Fedan as unit to
Decimal fractions. Reading	measure agricultural land and
decimal fractions	The four

Primary geometrical curriculum framework for 1930

Simple geometry in | Simple geometry in | Fourth year | Fifth year

perimeter. Intersection of parallelogram and circle. and drawing). Construction | lands measurements etc. of parallel lines.

| Point. Drawing and measuring | Type of triangle by angles and | straight lines; measurements lengths of sides. Construction by looking and estimating of triangles. Quadrilaterals. If irst then by ruler. Polygon (regular, non Triangle, square, rectangle, regular). Constructing parallelogram. Circles area, quadrilaterals. The area of centre, diameter, radius and triangle, square, rectangle, lines. Angles (measurements | Simple exercises on carpets, |Surface area of some solids le.g Cube, prism, cone, pyramid.

APPENDIX (IV)

Daimonts o	mithmotion	Oursi Oullum	framoutonit	$f \cap n$	1077
bramany a	rithmetical	Currrent	TIGHEROIK	TOT	1901

Counting objects to 9. Writing and reading to 9. Addition of numbers	exercises. Reading	Simple division,
foot, steps and making comparisons 1 as half of 2, and 2 as the double of 1. Simple fractions Studying the number to 200. Counting and writing to 100. Counting twos, fives, and tens.	19999. Adding with sum not exceeding 4 figures. Subtraction with and without borrowing. Multiplication tables to 9x9. Multiplying two figure numbers by one figure and by 10, 100, and 1000. and by 20, 30, 40 up to 90. Simple division by numbers not exceeding 5. An Egyptian pound and parts.	lexceeding 9. Simple long division on numbers exceeding 12. Multiplication tables up to 12x1 Simple multiplication and division by 10, 1 12, simple division to million. Simple multiplication and division by 100 and 1000, 10000,ed Time measurements Exercises related to home life.

Decimal fraction. The four rules with decimal fractions. Egyptian measurements and the four rules with weights, years and months. Proportional numbers. Application of proportion on area of land such as Fedan, kirat, and sahm. Percentages. Area of square, rectangle, triangle. Exercises.

Practical geometry and worksheet for framework in 1937

First year Second year Third year Fourth year	+	+	+	·
lactivities. Plasticine geometry and geometry. lactivities. Plasticine geometry and geometry. lactivities. lactivities.	 First year	 Second year 	Third year	
	lactivities.	Plasticine modelling of fruits and vegetables. Tell story with plasticine models. Coloured paper: Geometrical shapes. Decorative patterns. Expressing stories. Free activity: toys etc.	geometry and hand work: using natural materials from the environments to make something useful such as chairs, etc, Explain the different types of writing. Ideas about angles and geometrical shapes. Circle, triangle, square shape, using sand and plasticine to make models of useful things in the	geometry Using environments objects to aid understanding of geometrical information. Practising to draw square, rectangle and triangle with given sides using string and nails. Graphs. Free activity with hard paper and environmental objects.

APPENDIX (V)
The differences in Obligatory schools are given for 1937

+	+		
First year	Second year		Third year
elementary school scheme.	lelementary school scheme with one difference omitting the Egyptian pound and its parts.		Adding Egyptian pound and its parts. Time measurements. Analysis of numbers into elementary factors and common multiples. Fraction. Meaning of fraction and the four rules on proper fractions.
Fourth year		Fifth	year I
Multiplication and division of numbers of more than two figures. Measurements by ruler and ribbon. Time and weight measurements. Surface shapes. Triangle, square, rectangle, circle. Types and analysis of numbers into		decimal : rules with rules with ractions square, triangle measurement and Zraa (which or land). Yeston proposition triangle triangle	ents. Area units Kasaba, Fadan nly to be used for bear; the four rules rtional numbers.

APPENDIX (VI) Primary arithmetical curriculum framework for 1947

Frimary arttimeticar	Callicatam ilamewo.	<u> </u>
First year	Second year	Third year
Studying, reading and writing numbers to 10. Comparison, ratio and fractions Measuring lengths by hand, foot, etc. Studying numbers to 20. Counting to 100 in twos, threes, and fives. Vertical addition of numbers with answer not exceeding two figures. Vertical subtraction of numbers not exceeding two figures without borrowing.	Numbers 1-100 with explanation of the different place values of numbers. Reading and writing to 200. Addition not exceeding 200. Subtraction without borrowing and with borrowing from the tens and hundreds and writing to 1000. Addition provided that the sum does not exceeding 1000 with borrowing from tens and hundreds. Addition and subtraction of three figure numbers. Counting from 0 to 50. Multiplication table to 5x10. Simple addition, subtraction and division exercises not exceeding three steps. Egyptian money (Kersh, Malleem, Geny).	Vertical and horizontal addition of three numbers its answer not exceeding 100. Subtraction of numbers not exceeding 100. Oral addition of three numbers. Exercises on counting from 0 to 100. Multiplication table 10x15. Addition in groups to 1000. Using multiplication table in order to facilitate division. Multiplying two figure numbers by one figure numbers by one figure numbers. Reading and writing of numbers not exceeding 10000. Multiplying by 10, 20, 30, 100, 200, 900. Multiplying three figure
+	+	+

Following APPENDIX (VI) Primary arithmetical curriculum framework for 1947

Fourth year
exceeding six

APPENDIX (VI) The practical geometry framework for 1947

Meaning of straight line and The area of right angled curve. Using ruler to measure triangle. The height of lines. Drawing staight lines triangle. Area of non right of a given length. Naming the angled triangle. Area of straight line e.g. AB. triangle by its base and Circle. Perimeter. Centre. height. Constructing Diameter. Chord. Arc. Drawing triangles knowing two sides
Circles given their radius. I and one angle, and one side Angle types. Measurements I and two angles. Parallel With protractor. Construction Lines. Drawing parallel Of right angled Triangles. Lines using setsquare and Sides. Edge. Angles. Fuller. Drawing squares, Recognition of the kind of Frectangle and parallelograme Triangle by its angles and Of given sides. Areas of Lengths of sides. Square, and rectangle.

APPENDIX (VI)
In 1949, the arithmetical and practical geometry
framework curriculum scheme was the same as for 1947.

APPENDIX (VII)

Primary arithmetical curriculum framework for 1953

First year	Second year	Third year
practically. 2-Training pupil to make different groups practically not exceeding 10. 3-Train pupil to make addition and subtraction examples from their own practical life to be understood. 4-Common exercises which relate to the children's needs. 5-Simple addition and subtraction. 6-Addition of numbers with sum not exceeding 10. And addition of two numbers with sum not exceeding two figures. Using measurements, weights, money	figures numbers gradually. Understanding the place value of numbers. Extending study which is related to practical life-weight, money, measurements, time Form numerical groups practically in order to understand multiplication tables. Mental arithmetical problems and application to common practical aspects such as how many 5 in 20 in order to facilitate understanding the meaning of division and practising it.	exercises which derive gradually from simple arithmetical mental exercises to contain more simple operation such as division

+	+	++
l	i	Multiplication and
1	I	division of two or
1	1	three figure
1	l	numbers by one
1	1	figure numbers.
U	l	Understanding the
I	I	meaning of
1		fraction and its
· F	I	value practically.
f	1	Using these
I.	Į.	fractions in
1	l	simple mental
1	I	exercises.
İ	I	Practising in
1	1	writing and
1	Į.	reading fractions.
+	+	+

APPENDIX (VII) Primary arithmetical curriculum framework for 1953

Primary arithmetical	curriculum framewoi	<u>rk for 1953</u>
Fourth year	Fifth year	Sixth year
Using simple	Long division of	Ratio and proport-
		-ional division.
		Ratio meaning. The
		relationship
		between its divine
	integral or	methods of writing
practising its use.		ratio. Its
		importance on
		practical life.
multiplication of	exercises.	Graphical scale.
two or three	Extension of	Proportional
figure numbers with	fractions;	division and
sufficient practice	practising more	starting with
the meaning of	advanced	(begin with)
numerator and	operations in	integral numbers
denominator of a	addition and	from practical
fraction.	subtraction of	examples.
<u> </u>		Percentages: Its
		meaning, its
fractions. Addition		importance and
	Multiplication and	understanding its \sqcup
different		meaning.
denominator.		Converting ratio
		to percentages.
		Finding percentage
		of a given amount-
		Simple exercises
0		on interest, taxes
writing and reading		
		Studying time.
	fractions into	Counting number of
		days in the months
		Calculating
Multiplication and		
		and principle in
decimal fraction by		
	Measurement, money	
	and weight units.	
	Changing from one	
	unit to another et	
		and parallelepiped
	O	Volume
	* *	measurements.
	number. Multiplication and	French weights. Changing Eduntian
		units into litre
		and converse.
+	+ -	+
	, == =================================	_

APPENDIX (VIII) Primary arithmetical curriculum framework for 1959

+	+	++
First year	Second year	Third year
Six lessons in a	Six lessons in a	_
week.	week.	week.
11-Identifying and	1-Continuous	1-Continuous
		studies of the
with using concrete	previous year then	previous year
		numbers.
		2-Deducting
12-Composition of		multiplication
number such as 284	three figure	table and using
and 383 and 581 and		the sign of (x)
		instead of"repeat"
		by using practical
		examples and
		simple mental
	.	exercises.
		3-Enlargements on 1
	· · · · · · · · · · · · · · · · · · ·	laddition and
4-Using interesting		subtraction
		provided that the
		production not
		exceeding three or
		four figure number
	-	and gradually
		exercises derive
		from one step to
		Itwo steps using I weight,
		measurements and
17-Using measurement		Egyptian money to
		practising such as
	table in a simple	Egyptian pound and
	way such as how	its units, Meter
		and centimetre,
		pound and ounce,
		week, day, hour,
		minutes, and
		studying these
+	+	+ <i></i> +

relation to increase practising on multiplication Itable and multiply! and division by 10 I, 20, 100. 4-Make | pupils practise on multiply two or three figure numbers by one |figure number and | so division. 15-Understanding the meaning of |fraction and its | | value practically | |such as 1/2 (half | of an orange) or 11/4 (quarter of an) forange) and using t simple mental exercises to General exercises.

Primary arithmetical curriculum framework for 1959

Fourth year | Fifth year | Sixth year Five lessons in a | Five lessons in a | Five lessons in a | week. week. week. +1-Gradually, pupils+1-Solving more +1-Reviewed of last+ |come to use simple |advanced exercises|lessons with taken| division by one than that studied into consideration Ifigure number with Ibefore. 2-Using Iweight, money and I 12-Enlargements on | which were studied application of | exercises which | before. 3-Long | multiplication and | need multiply by | division of | division. 2-Ratio | two or three figure | integral or | and proportional | decimal numbers by number. Meaning Inumbers. +3-Exercises contain an integral number and how to write simple proper | provided that its | them. 3-Percentage | |fraction by using |sum not exceeding |its meaning. begin with |converse. children | understanding the | exercises drove | Applications of | meaning of fraction| from real life. | percentage to | numerator and | 4-Enlargements on | profit and lost. | denominator of a | fraction study. | 4-Calculating | fraction | The standard | fraction | fracti | fractions. 4-Using | more understanding | Cubic | meter. Cubic | measurements | 15-Gradually | decimetre. Cubic | weights, etc..... | teacher moved to | centimetre. | a- as it used as | more advanced | 6-Making tables to | proportional | exercises which | compare different | numbers and do | contained addition | measurements of | addition and | land subtraction of | weight, length, | | subtraction and | different | and money. | making the sums of | denominator | 17-General laddition and lfractions. Lowst lexercises to |measure pupils' | subtraction on common | proportional | multiplication. | abilities of doing | numbers in a simple | 4 - Enlargements on | arithmetical | form. Using meter studying the operations. | tand kilometre, | decimal fraction | 8-Avoiding complex | pound in | by reviewing | exercises.

|decimal fractions | in that subject | and its meaning and then moved to value, then using study |transferation from| addition and subtraction on | one fraction into | |decimal numbers and another with talso multiplied and relating that by divided it by one weights and measurements and figure number. | 15-More concerning | money units. Using | to make practical | English& French | lexercises which are measurements and | involved in real | transfer them into| life in order to | Egyptian units. | Imake them more | Square, rectangle | Icomprehensible by | I and triangle area. | children. || || Simple idea about || means.

| Practical geometry in fifth | Practical geometry in | vear

⊢ sixth year

Drawing and measuring staight 1-revision of last year lines. Drawing and measuring lessons in that subject. straight lines with a given 12-Triangle: its types length. Angles: measuring of |constructing a triangle by | langle, identifying different |knowing side length and two| types of angles. Using protractor to measure angles. in between. 3-Using Drawing right angle using geometrical methods in setsquare and ruler. Explain meaning of perpendicular lines. Constructing perpendiculars Itwo triangles and finding on straight lines. Dropping at the area of each ones. perpendiculars to straight lines. Drawing parallel lines understanding centre, chord square and rectangle, then perimeter, radius and finding their area. Triangle diameter of a circle. Its types with concerning langles and sides length. Right angled triangle. Calculating area of triangle. lots of exercises.

sides lengths and an angle | drawing parallelogram. | Finding area of any square | shape by dividing it into 14-Circle: knowing and 15-Graphical scale: Its Tapplications to read maps | and representing statistics | |Applications of graphical | Iscale to relationships with practical life.

APPENDIX (IX)

Primary arithmetical curriculum framework for 1960

First year | Second year | Third year | Six lessons in a | Six lessons in a | Six lessons in a | week. ∣ week. week. 11-Sorting and 11-Extension of 11-After children leading to an lin a set, sorting lunderstanding of land classifying the number of lobjects in a set. | the number system lobjects into sets, | numbers up to 10. |3-Applications of |numbers, place 15-Addition and the number system (value, and simple (subtraction. Any to the real world.) (addition and | addition statement | Measurement: subtraction, then | such as 5+2=7 | Experiences with | comes the next loccurs in a great | money, weight, and stage of measures will emphasising the variety of Isituations and can | continue understanding of throughout this previous studies be recorded in year, experiences by deducting several ways. +6-Experience of | increasing in | multiplication | varied aspects of | scope and variety. | tables and using the operations of ||Similar experience||sign (x) instead can be planned for of (times) which |addition, time. 4-Once | normally come | children have | within the subtraction as these arise in the children have real situations of lacquired this lexperience of the classroom. It lfacility with lyoung children. is called these | numbers, however, |2-Mental and they are ready to practical processes benefit from exercises of |"operations" | written practice | simple division by | | in addition and | | one figure number. | because, in the |first instance, they are (or |subtraction, first|3-Extension of should) be actions with tens and laddition and performed on real | units and then subtraction materials in with larger exercises of Inatural situations Inumbers as they Inumbers its sums | which arise in the | come to extend | more than three or | environment. | their number | four figures. |

+-----+ 7-Adding and | knowledge to | 4-Begin with | subtracting numbers numbers greater | exercises lless than 100 in | than 100. 5-Simple | contain one idea | both cases with or multiplication and and are solved by without carrying | division, such as | one step, then | land borrowing. | how many 5 in 20? | gradually comes to | 18-Measurements and | land also which is | those which need | Imoney. Experiences requivalent to two steps, as which involve | "four fives"..etc. | these arise in the |measurement | probably provide | "doubles" of | the classroom. |
| the most varied | numbers from 5 to | 5-Applications of |
| mathematical | 10 % Fronciscs on the number system | 110. 7-Exercises on the number system mathematical opportunities for "three times" of to the real world. young children. Inumbers from 1 to Measurement, |Simple knowledge of | 5. experience with imoney, weights and; the relationships |between one unit measures will land another (the continue during common units of Ithis year. Metric! system. Clock weights and measures which |arithmetic. Inormally come 16-Multiplication | within the and division by 10 120, 30,...,100. experience of young children). +7-Multiply two or ↓ three figure +9-Number relationships from | Inumbers by one 11 to 5. Ifigure numbers. 18-Understanding the meaning of division by one figure number. 19-General exercise

Primary arithmetical curriculum framework for 1960

Fourth year | Fifth year | Sixth year | | Five lessons in a | Five lessons in a | Five lessons in a | | l-Extension of | l-Extension of | l-Revision. | lnumber knowledge | lnumber knowledg to include multipl-to include more proportion and |-ication of two or |advanced exercises|rate. It is often | three figures by | with solving these used the concept | one figure numbers. exercises easely of ratio to knowledge of number child's weaknesses quantities. 3-The thas been mainly tin operating four tchild's recording to whether oral, (integers) which | 3-Oral arithmetic. | written, expressed | they first used to |4-General revision|by a diagram or by: |describe situations|5-Long division | |a graph, must be | his own. in their environm- | for both cases, -ent and later that is ended by 14-Percentages. | learned to combine | integral number | Children began to | | in different ways | and the other | turn fractions to | | according to the | lended by 3 figures | decimals and at | operation demanded decimal numbers. This stage the by the specific | 16-Extension of | teacher told them | problem in hand | ideas of number to about percentages. when they meet the |include fractions.|5-Applications of | written symbols for | Varied aspects of | percentages to fractions, they are the operations of linterest, profit, experiencing for laddition, subtrac-lose and the real the first time, | -tion, multiplica-|world. 6-Calculat-| pairs of numbers | -tion and division|-ing interest, | used in a different with fractions as | rate, time and | way; number pairs | these arise in the | principle in | which appear to | | real situations of | simple interest real situations of simple interest | behave differently | the classroom. | problem. 7-Solid from integers when 17-Measurement will the volume of a | combined by any of | provide many | cube and the operations | opportunities for | parallelepiped. | addition, subtract-| work with fraction| Solid measurements | I-ion, multiplicati-land in the use of le.g the cubic of 1-on and division. | the four operatio-| Meter, decimetre, | The symbolic way of I-ns applied to I centimetre, etc...

writing fractions. | fractions.8-Exten-18-Concrete experi-1 A variety of regul-1-sion of decimal 1-ence of all kinds |-ar geometric shap-|fractions. It is | of measurements -es (in two important that the and use of money, | colours) is often | four operations | length, weight, tused for giving | with decimal frac-|time. 9-Applicati-| children varied | tions should ari-|-ons of mathemati-| opportunities for |-se from their use|-cs. The use |
| recognising the | in real situations|of the environme- |
| common fractions. | not exceeding | -nt in all aspects| |Simple fraction of |three figure deci-|of measuring and | -mal numbers. | money. reveryday life. Experience with | Weights, money and | money, weights and measures provide | measures lengths. | varied experience | These varied exper-in the use of |-iences should | simple fractions. |cover the operatio-|9-Applications of | |-ns of addition, | the number system | subtraction, multi-to the real world: -plication and -a-Measurement. division. The comm-1b-Metric system. I-on units of weigh-Ic-Money. 10-Areas I |-ts and measures | Squares and |which normally | rectangles. come within the ex-111-A simple idea 1-perience of young ton average. | children. Applicat-| |-ions of mathemati-| 1-cs to relationshi-1 I-ps with practical | ∣life.

| Practical geometry for the | Practical geometry for the | Fifth year Sixth year Drawing, measuring and 11-Revision. 2-Type of understanding the ideas of triangle by angles and 11-Straight lines. lengths of sides. 12-Angles. | Constructing a triangle by | given two sides and one 13-Triangles. langle in between. Then constructing a triangle by given one side and two langles. 3-Constructing parallelogram by measuring, then finding the area of a parallelogram and a triangle when children divided a parallelogram into two equal triangles lalong its diagonal. 14-The area of a triangle, |circle, centre, perimeter, | radius and diameter. Constructing a circle with I a given radius or diameter. Graphical scales.
Applications of the graphical scale to the real+ world.

APPENDIX (X)

School framework scheme for 1963

First year: Six lessons a week

1-Study the numbers from 1 to 100. Figures from 1 to 9. Composition of numbers from 2 to 9 with addition and subtraction. Tens. Zeros. 2-The meaning of addition and subtraction signs (+,-,=). Adding two numbers with and without carrying (The sums not exceeding two figure numbers). Subtracting two numbers with and without borrowing (The remainder not exceeding two figure numbers). 3-Money and lengths measurement. Study the relationships of an Egyptian pound units and Syrian money. Meter and centimetre. 4-Practice on doubles numbers from 1 to 5.

Second year: Six lessons a week

1-Revision. 2-Place value of three figure numbers.
3-Practice on addition and subtraction. Adding two numbers without and with carrying. Subtracting two numbers without and with borrowing (The sum or remainder not exceeding three figure numbers).
4-Metric measurements and money. Relationships of an Egyptian pound units. Relationships of a metric

system units. Weight. 5-Time. Relationships between an hour and a minute. Clock. 6-Sorting and classifying objects into groups of numbers in order to understand multiplication table. Doubles numbers from 5 to 10. Three times the numbers from 1 to 5.

Third year: Six lessons a week

l-Revision. 2-Reading and writing four numbers. 3-The sum of addition and subtraction not exceeding four figure numbers. 4-Multiplication. Meaning of the sign (x). Studying and practising on multiplication table. Multiple by 10, 20,...,100. Two or three figure numbers multiplied by one figure number. 5-Division. Meaning of the sign (/). Division as the inverse of multiplication. Simple ended division by one figure numbers. Ended division by 10, 20, ..., 100. 6-The metric system and money. Knowledge of the relationships between one unit another. An Egyptian pound units. A Syrian money units. Meter units. Kilogram units. 7-Time: the relationships between; week and day, day and hour. Simple proportion.

Fourth year: Five lessons a week

1-Revision. 2-Extension of number knowledge include reading and writing five or six figure numbers. 3-Multiplication. Two figure numbers multiplied by one figure numbers. Three figure multiplied by one figure number. 4-Fractions. Writing and reading with understanding the meaning of numerator and denominator of Addition and subtraction of fractions fraction. whose the same denominator. Cancelling of fractions. Meaning of inproper fractions. Addition and subtraction offractions whose different denominators. 5-Decimal fractions. Meaning, writing and reading decimal fractions. Addition and subtraction with decimal fractions. Multiply one decimal fraction by one figure integer numbers. Ended division of one integer figure numbers. 6-The metric system and money. An Egyptian pound units. A Syrian money units. Meter units. Kilogram units.

Fifth year: Five lessons a week

1-Revision. 2-Long division. Ended division of integral numbers. Non ended division of integral numbers, out of division not exceeding three decimal figures fraction. Ended division of one decimal

fraction by one integral numbers. Non ended division of one decimal fraction by one integral number division not exceeding three decimal figures fraction. Proportion. Applications ofproportion to the time measurements. 3-Proper Divisibility by simple numbers. Analysis fractions. numbers. of Multiplication and division of Cancelling of fractions. fractions. Simple common multiple. Adding and subtracting fractions. Exercises. 4-Decimal fractions. Changing proper fractions into decimal. Multiplication, division and general application of decimal fractions. The areas and properties of a square and a rectangle. 6-Mean. 7-A simple idea of straight and curved lines. Using geometrical tools. 8-Angles. protractor to measure and draw angles. 9-Using geometrical tools to do: constructing the right angle using ruler and sets square. Constructing perpendiculars on a given straight line. Dropping perpendicular to a given straight line. Drawing parallel lines by using sets square and ruler. Construction of a square with given side length. Construction of a rectangle with given two sides length. 10-Triangle. Types of triangle according to angles \mathtt{and} sides length. Constructing equal sides triangle with a given side. Constructing right angled triangle with two given sides.

Constructing a triangle with three sides length.

Heights of triangles.

Sixth year: Five lessons a week

1-Revision. 2-Ratio. 3-Proportion and rate. Applications of the number system to the real world: proportion and rate. Proportion meaning. Finding its dividend. Proportional division. exercises. 3-Percentages. The importance percentage. Changing ratio into percentages. Finding percentage of a certain amount. Percentage and its application to interest profit, and lose. 4-Calculating simple interest, rate, time, principle in simple interest problems. Applications of mathematics to relationships with practical life. 5-Solids. (a) The volume and properties of a cube. (b) Volume measurements (cubic meter, decimetre, and centimetre). Applications and simple exercises to relationships with practical life. 6-Parallelogram. Concept, properties and area of a parallelogram. 7-Triangle. Constructing a triangle with given two sides and angle in between. Constructing a triangle with a given side and two angles. The area of a triangle (= half of a parallelogram whose the base and height). Area of any quadrilateral shape (by dividing it into two triangles). 8-Circle:

perimeter, centre, diameter and radius of a circle. Construction of a circle with a given its radius using compass. Made some simple circlar decorations. Drawing some regular shape inside a circle. 9-Graphical scale. Its importance and applications to relationships with practical life using block graphs, etc....

APPENDIX (XI)

School framework scheme for 1965

First year: Five lessons a week

- (i) Studying numbers from 1 to 100. This study included: a-Numbers from 1 to 9. B-Composition of numbers from 2 to 9. C-Tens. D-Two figure numbers. F-zero.
- (ii) Addition and subtraction: a- Meaning of signs (+, -, =). B- Adding without carrying. C-Subtracting without borrowing. D- The sum or remainder of adding or subtracting two numbers with carrying or borrowing not exceeding two figure numbers.
- (iii) Number relationships Using money units.
- (iv) Hundreds Using money units and metric system.
- (v) Practice on double numbers from 1 to 10.

Second year: Five lessons a week

(i) Revision. (ii) Place value of three or four figure numbers. Using an Egyptian pound units. Metric system units. (iii) Addition and subtraction. Adding without and with carrying. Subtract without and with borrowing (The sum or remainder in both

cases not exceeding four figure numbers). (iv) Time. Relationships on time units. Reading clock. (v) Sorting and classifying objects into groups of numbers in order to understand multiplication table. Multiplication table of 5. General applications.

Third year: Five lessons a week

(i) Revision. (ii) Extension of number knowledge include reading and writing five or sixnumbers. (iii) The sum or remainder of addition subtraction not exceeding five or six figure numbers. (iv) Multiplication. Meaning the sign (\mathbf{x}) . Multiplication table. Multiplication by 10, 20,... Multiply two or three figure numbers by one figure numbers followed by two figure numbers then by three figure numbers. (v) Division. Meaning of the sign (/). Division as the inverse of multiplication. Simple division by 10, 20, ..., 100. Divisibility by 2, 3, 5, 11. (vi) Practice on multiplication and division by using an Egyptian pound units, system units, time units. (vii) Fractions. Meaning, reading, writing, addition and subtraction of fraction. Decimal fractions. Meaning, writing, addition and subtraction of fractions. Drawing and measuring straight lines.

Fourth year: Five lessons a week

(i) Revision. (ii) Decimal fractions. Extension of number knowledge to include reading, writing, four rules with decimal fractions gradually. (iii) Proper fractions. Cancelling fractions. Changing fractional numbers into an integral number and a fraction. Adding and subtracting fractions which have different denominator. Number analysis. Cancelling fractions. Multiplication and division with fractions. Simple common multiple. Adding and subtracting different denominator fractions. Long ended devision by two figure applications. number. (iv) Geometry. Angle: Meaning and drawing by using protractor. Constructing a an triangle with a given two sides lengths and an angle in between.

Fifth year: Five lessons a week

(i) Revision. (ii) Extension of division to include ended division of integral and decimal numbers. (iii) Proportion. The four rules with proportion. (iv) Decimal fractions. Changing proper fractions into decimal fractions and converse. Multiplication, division, and applications of decimal fractions. (v) Mean: Exercises from real life. (vi) Areas: The

areas of square and rectangle. Volumes: volume of a and a parallelepiped. (vii) Geometry. geometrical tools (ruler, right angled setsquare, protractor). Constructing a. right angle. Constructing a perpendicular straight on a line. perpendicular Dropping to a straight line. Constructing parallel lines. Constructing a square, rectangle and right angled triangle.

Sixth year: Five lessons a week

(i) Revision. (ii) Approximation to nearest unit, ten, hundred and not exceeding three figure numbers with decimal fraction. (iii) Ratio, proportion and rate. Meaning and writing the ratio and proportion. Applications of proportion and rate to the real life. (iv) Percentages: Meaning of percentage. Changing a into a percentage. Finding a percentage of a certain amount. Applications to include interest, lose, etc,... (v) Calculating interest rate, taxis. time and principle in simple interest problems. (vi) Areas: Areas of a parallelogram and a triangle. (vii) Geometry. Revision. Using geometrical Constructing a circle with a. given radius. Constructing chords of a circle. Constructing a triangle by its three sides lengths. Constructing equal sides triangle (Equilateral) by its

Constructing an equal two sides triangle (Isosceles) by one side and two angles.

APPENDIX (XII)

School framework scheme for 1967

First year:

(i) Studying numbers from 1 to 100. Composition of numbers from 2 to 9. Tens. Two figure numbers. Zero. (ii) Addition and subtraction. Meaning of the sign (+, -, =). Adding two numbers without and with carrying. Subtracting two numbers without and with borrowing. (The sum and difference not exceeding two figures). (iii) Number relationships. Using an Egyptian pound units. Hundreds to 900. Doubles numbers from 1 to 10.

Second year:

(i) Revision. (ii) Extension of numbers to three and four figure numbers. Place value. Using an Egyptian pound units, and metric system. (iii) Addition and subtraction. Adding and subtracting two numbers without and with carrying and borrowing. (The sum and difference not exceeding four figure numbers). (iv) Time. (v) Introduction to multiplication table up to 5.

Third year:

(i) Revision. (ii) Reading and writing five and six figure numbers. (iii) Addition and subtraction. difference not exceeding five or six figure and numbers. (iv) Multiplication. Meaning of the Multiplication by 10, 20,..., 100. Multiply (x). two or three figure numbers by one figure, two and three figure numbers. (v) Division. figures, Meaning of (/). Division by by 10, 20, 30,..., 100. 3, 5, Divisibility by 2, and 11. (vi) Using an Egyptian pound units, time and metric system. (vii) Decimal fractions. Addition and Simple fractions. subtraction of fractions with equal denominators. (viii) Drawing and measuring straight lines with given their lengths.

Fourth year:

(i) Revision. (ii) Decimal fractions. Addition subtraction of decimal fractions. Multiplication and division of a decimal fraction by a ${\tt unit}$ number. Proper fractions. Cancelling fractions. Conversion of common fractions to decimals. Addition subtraction and offractions with different denominators. Multiplication and division fractions. Full practical knowledge and experience of all fractions. Long division by two figure numbers (iv) Geometry. Angle. Adentifying, drawing and measuring angles by using protractor. Constructing a triangle with given two sides and an angle in between.

Fifth year:

(i) Revision. (ii) Long division for integral decimal numbers. (iii) Proportion. The four rules with proportion. (iv) Decimal fractions. Conversion common fractions to decimals. Multiplication, division and full practical knowledge and experience fractions. (v) Mean. (vi) Areas. of decimal Practical experience of square, and rectangle. Calculation of volume Volume. ofcube parallelepiped. (vii) Geometry. Using geometrical tools (ruler, right angle setsquare and protractor). Drawing a right angle. Constructing perpendicular on straight line. Dropping perpendicular to straight Constructing parallel lines. Constructing square, rectangle and right angled triangle.

Sixth year:

(i) Revision. (ii) Approximation to a unit, ten, hundred and three decimal figures. (iii) Ratio,

proportion and rate. Writing and reading the ratio. Graphical scale. Meaning ofproportion. Proportional lengths. Full practical knowledge and proportion. (iv)experience of Percentage. Conversion of ratio to percentage. Full practical knowledge and experience of percentage. Interest, profit and lose. (v) Calculating a simple interest. General applications. (vi) Areas. Calculating the areas of triangle and parallelogram. (vii) Geometry. Revision. Constructing a parallelogram, circle its radius, chord of a circle, triangle by its sides, triangle by one side and two angles, and heights of triangles.

APPENDIX (XIII)

School framework scheme for 1971

First year: Six lessons a week

(i) Studying numbers from 1 to 9. Composition of numbers from 2 to 9. Meaning of sign (+, -, =). (ii) Studying numbers from 10 to 100. Tens. Two figure numbers. Zero. Place value. Adding two numbers without and with carrying. Subtracting two numbers without and with borrowing. (iii) Studying hundreds to 900. (iv) Double numbers from 1 to 10.

Second year: Six lessons a week

(i) Revision. (ii) Extension of numbers to three and four figures. Place value. Using an Egyptian pound units and metric system units. Practicing on addition and subtraction. (iii) Time. Tell the time. Full practical knowledge and experience of seconds, minutes and hours. (iv) Multiplication. Meaning of multiplication sign (x). Full practical knowledge and experience of multiplication table to table 5.

Third year: Six lessons a week

(i) Revision. (ii) Extension of numbers to five and figures or more. (iii) Practicing on addition and subtraction. (iv) Multiplication. Multiplication table to table 10. Multiplication by 20, ..., 100. Multiply two or three figure numbers by one figure, two figures and three figure numbers exclussively. (v) Division. Meaning of division sign (/). Simple division by 10, 20, 30, ..., 100. Simple division by one figure. Practicing on multiplication and division. Using an Egyptian pound units, metric system units and time.

Fourth year: Six lessons a week

(i) Revision. (ii) Long division by two figures. (iii) Proper fractions. Meaning, reading and writing proper fractions. Conversion of improper fractions mixed numbers. Addition and subtraction of fractions with equal denominators. Addition subtraction of fractions with different denominators. (iv) Divisibility by 2, 3, 4, 5, and 11. Cancelling fractions. Multiplication and division fractions. Simple lowst common multiple mathematical handling of everyday situations. Decimal fractions. Meaning, reading, and writing decimal fractions. Addition and subtraction with decimals. Multiplication and division of decimals by an integral numbers. (vii) Geometry. Drawing and measuring straight lines from length measurements. Angle. Identifying and drawing angles by using protractor. Drawing a triangle with given two sides and an angle in between. Deducting the fact that the sum of an angles triangle equal = 180 degree.

Fifth year: Six lessons a week

(i) Revision. (ii) Long division. Division of integral numbers with no remainder. Division of decimals by an integral numbers. (iii) Proportion. The four rules with proportional numbers. (iv) Decimal fractions. Revision of proper and decimal fractions. Conversion of common fractions decimals with no remainder. Multiplication and division of decimals. Full practical knowledge and experience of decimals. (v) Mean. Mathematical handling ofeveryday situations. (vi) Areas. Calculation of areas of squares and rectangles. (vii) Geometry. Using geometrical tools ruler. right angled triangle or setsquare protractor. Drawing right angle. Constructing a perpendicular on straight line. Dropping perpendicular to straight line. Drawing parallel

lines. Drawing a square by its side. Drawing a rectangle by its two sides. Drawing a right angled triangle by two right angle sides.

Sixth year: Six lessons a week

(i) Revision. (ii) Approximation for units, and hundred, also to three figure decimals. Practicing long division with three figure decimals (iv) Ratio, proportion and rate. remainder. in Meaning, reading and writing ratio. Graphical scale. Applications of ratio and proportion to practical life. (v) Percentages. Meaning of ratio. Finding percentage of an amount. Applications of percentage to real life, interest, profit, taxes and lose. etc. (vi) Volume. Volume of cube and parallelpiped. (vii) Graphical scale. (viii) Geometry. Revision. areas of a triangle and parallelogram using geometrical tools. Drawing a circle by its radius. Drawing the chord of a circle. Constructing parallelogram by two sides and an angle in between. Constructing triangles by a side and two angles, three sides. Constructing equilateral triangle by its side. Drawing the heights of a triangle.

APPENDIX (XIV)

A content analysis of the contemporary school scheme books for 1983

The first primary school book (Traditional mathematics)

CONTENT

Numbers.

CONCEPTS ARE INVOLVED

(i) Bigger than. (ii) Smaller than. (iii) Numbers (1 to 9). (iv) Addition. (v) Equivalent. (vi) Commutative law. (vii) Subtraction. (viii) The ascending order. (ix) The descending order. (x) Zero. (xi) Composition of two figure numbers. (xii) The place value of numbers.

FACTS

The relationships of an Egyptian pound units.

THE EXPECTED SKILLS

(i) Reading, writing and recognition of numbers from 1 to 9. (ii) Operate the ascending and descending order on the above mentioned numbers. (iii) Operate addition without and with carrying. (iv) Operate subtraction without and with borrowing using the line

of numbers.

CONTENT

Knowledge of solid shapes.

CONCEPTS ARE INVOLVED

- (i) Parallelepiped. (ii) Cube. (iii) Cylinder.
- (iv) Sphere. (v) Pyramid. (vi) The straight line.

FACTS

The relationships among the metric system.

THE EXPECTED SKILLS

- (i) The understanding of 3'D geometrical solids.
- (ii) Measuring a straight line by ruler.

The second primary school book (Traditional mathematics)

CONTENT

Numbers.

CONCEPTS ARE INVOLVED

- (i) Three figure numbers. (ii) Four figure numbers.
- (iii) Even numbers. (iv) Odd numbers.

FACTS

- (i) The relationships of an Egyptian pound units.
- (ii) The relationships of the metric system. (iii) Full knowledge of the relationship between hours and minutes. (iv) Even number +, even number = even number. (v) Odd number +, -, odd number = even number.

THE EXPECTED SKILLS

(i) Reading and writing three figure numbers. (ii) Place value in three figure numbers. (iii) Addition and subtraction of three figure numbers. (iv) Five times table, number bonds. (v) Telling the time in a quarter hour. (vi) Reading and writing four figure numbers. (vii) Addition and subtraction of four figure numbers.

CONTENT

Surfaces and solid shapes.

CONCEPTS ARE INVOLVED

(i) The surface. (ii) The plane surface (iii) The curved surface.

FACTS

The relationships between Kilometre, meter and centimetre.

THE EXPECTED SKILLS

Volume and surface area of solid shapes, which were studied in the first year. Practical experience of circles, squares, rectangles, triangles, especially as used in pattern work.

A content analysis of the third year primary school book (Traditional mathematics)

CONTENT

Numbers

CONCEPTS ARE INVOLVED

(i) Five figure numbers. (ii) Six figure numbers.

FACTS

(i) Numbers have multiplied by 10 and one figure number. Zero (0). (ii) Numbers multiplied by 100, have the unit and tens figures. (iii) The relationships between year and month. (iv) Multiplication table facts up to 10×10 .

THE EXPECTED SKILLS

(i) Reading, writing and the operations of addition and subtraction on the five and six figure numbers.(ii) Multiplication and division up to 10 times table.(iii) Multiplication of three figure numbers.

CONTENT

Geometry.

CONCEPTS ARE INVOLVED

Perimeters

FACTS

(i) Perimeter of a square = side length x 4. (ii) Perimeter of a rectangle = (length + width) x 2.

THE EXPECTED SKILLS

(i) Calculation of perimeter of squares and rectangles. (ii) Drawing straight lines from length measurements (of a given length). (iii) Measuring straight lines of given lengths.

A content analysis of the fourth year primary school
book (Traditional mathematics)

CONTENT

Numbers

CONCEPTS ARE INVOLVED

(i) Common (proper) fraction. (ii) Improper fraction. (iii) Decimals. (iv) A prime number. (v)The lowest common multiple.

FACTS

(i) Tests for divisibility by 2, 5 and 3. (ii) The four rules with proper and decimal fractions.

THE EXPECTED SKILLS

(i) Cancelling fractions. (ii) The four rules with proper and decimal fractions along with full understanding of the meaning.

CONTENT

Geometry

CONCEPTS ARE INVOLVED

(i) Angles. (ii) Right angle. (iii) Acute angle.(iv) Obtuse angle.

FACTS

(i) The angle sum of a triangle = 180 degree.

THE EXPECTED SKILLS

(i) Construction of an angle equal to a given angle using compass and ruler. (ii) Measuring angles with protractor. (iii) Constructing triangles knowing two sides and angle between them. (iv) Recognizing the type of a triangle by its angles. (v) Recognizing the type of a triangle by lengths sides.

A content analysis of the fifth year primary school book (Traditional mathematics)

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

(i) Approximations. (ii) The mean. (iii) The positive rational numbers.

FACTS

(i) The mean of a set of quantities is total of the set of quantities divided by number of quantities.(ii) Total of a set of quantities = mean x quantities of numbers.

THE EXPECTED SKILLS

(i) Approximation to nearest whole, ten hundred, thousand and to one, two and three decimal places.

(ii) Operating the four rules with two, three and four figure numbers. (iii) Full practical knowledge and experience of mean. (iv) Finding the total of a set of quantities given its mean.

CONTENT

Geometry

THE CONCEPTS ARE INVOLVED

(i) Area. (ii) Perpendicular lines. (iii) Parallel lines.

FACTS

(i) Area of a square = length side x itself. (ii)

Area of rectangle = length x width. (iii) The relationship between square until e.g square cm, sq.

Meter, sq. Millimetre. (iv) The relationships between an Egyptian land measurements e.g Fidan,

Kirate, Sahem, Kasaba and meter.

THE EXPECTED SKILLS

(i) Constructing perpendiculars on straight lines using sets square and ruler. (ii) Dropping perpendiculars to straight lines using setsquare and ruler. (iii) Drawing parallel lines using setsquare and ruler. (iv) Drawing squares and rectangles using rulers measuring setsquare or protractor. (v) Calculation of the area of squares and rectangles. (vi) Conversion of area units, cm square, dm square, meter square.

A content analysis of the sixth year primary school book (Traditional mathematics)

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

(i) Ratio (ii) Proportion. (iii) Percentage.

FACTS

(i) Graphical scale = the length on graph divided by
real length. (ii) Simple interest = principle x rate
x years.

THE EXPECTED SKILLS

(i) Finding the scale of graph, length in the graph and real length. (ii) Conversion of proper fractions to percentage and vice versa. (iii) Conversion of percentage to decimals. (iv) Full practical knowledge and experience of percentage in taxes, sales and purchases etc.... (v) Calculating interest, rate, time and principle in simple interest problems. (vi) Tabulating graphical data.

CONTENT

Geometry

THE CONCEPTS ARE INVOLVED

(i) Parallelogram. (iii) Regular shapes. (iii)Centre, diameter and chord of a circle. (iv)Intersection of lines.

FACTS

(i) The perimeter of a parallelogram = (total of the two adjacent sides) x 2. (ii) The area of a parallelogram = base x height. (iii) The area of a triangle = half of the base x height. (iv) The volume of a cube = side x side x side. (v) The parallelepiped volume = length x width x height = area of base x height. (vi) The surface area of sides = base perimeter x heighth. (vii) The total area = the surface area of sides + the two base area.

THE EXPECTED SKILLS

(i) Constructing a triangle by knowing side length and two angles. (ii) Constructing a triangle by given three sides lengths. (iii) Drawing a circle by knowing its radius. (iv) Drawing a chord with a given length inside circle. (v) Constructing a parallelogram by measuring. (vi) Constructing regular shapes inside circles. (vii) To be able to explain and describe perpendiculars, reflex angles and rectangles etc...

Secondly a content analysis for primary modern mathematics

A content analysis of the first primary school book (modern mathematics)

CONTENT

Sets

THE CONCEPTS ARE INVOLVED

(i) Set (ii) Element. (iii) Membership. (iv)
Subset. (v) Breakdown (into classes, categories,
etc...). (vi) Equivalent sets. (vii) The empty set.
(viii) Symmetry.

THE EXPECTED SKILLS

(i) The realization of common characteristic of set element. (ii) Classification of sets. (iii) Breakdown sets into subsets. (iv) Practicing to realize and write the number of set element.

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

- (i) Number from 1 to 9. (ii) Zero. (iii) Addition.
- (iv) Equivalent. (v) Ascending order. (vi)

Descending order. (vii) Subtraction. (viii) Substitution. (ix) Multiplication. (x) Division. (xi) Two figure numbers. (xii) The place value of number.

FACTS

(i) The relationships among the Egyptian pound units e.g guinea, kerch and ten etc.... (ii) The composition of numbers.

THE EXPECTED SKILLS

(i) Reading and writing numbers from 1 to 9. (ii) Operate ascending and descending order. (iii) Operate addition and subtraction by using numbers's line. (iv) Commutative and associative properties of addition. (v) Understanding place value. (vi) Composition of numbers e.g 5 = 4+1 = 3+2 etc. (vii) Using addition table. (viii) Multiplication of numbers under ten. (ix) Adding two figure numbers without and with carrying. Subtracting two figure numbers without and with borrowing.

CONTENT

Equations and inequalities.

CONCEPTS ARE INVOLVED

(i) Unknown variable. (ii) Equation. (iii) The

linear equation with one unknown. (iv) Inequalities e.g. 5.2. (v) Smaller than .. (vi) Bigger than .. (vii) Inequalities with one unknown e.g $x + 3 \rightarrow 7$.

THE EXPECTED SKILLS

- (i) Solving the linear equation with one unknown.
- (ii) Solving inequalities with one unknown e.g x + 2 < 9.

CONTENT

Geometry

CONCEPTS ARE INVOLVED

(i) Square. (ii) Rectangle. (iii) Triangle. (iv) Circle. (v) 3'D shapes (solids). (vi) Cube. (vii) Cylinder. (viii) Cone. (ix) Pyramide. (x) Ball (sphere). (xi) Parallelepiped. (xii) Point. (xiii) Rays. (xiv) The sector, the segment. (xv) The straight line.

FACTS

(i) The relationships between meter and centimetre.

THE EXPECTED SKILLS

(i) Properties of and relationships between plane shapes and solids. (ii) Drawing and identifying straight lines. (iii) The understanding of 3-D geometrical solids.

A content analysis of the second primary school book (modern mathematics)

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

(i) The three figure numbers.(ii) Even number.(iii) Odd number.(iv) Four figure numbers.

FACTS

(i) Multiplication tables. (ii) Tests for divisibility by 2, 3, 5, and 10. (ii) Full practical knowledge and experience of relationships between cm, dm, meter.

THE EXPECTED SKILLS

(i) Reading and writing three figure numbers. (ii) Addition and subtraction of three figure numbers. (iii) Reading and writing four figure numbers. (iv) Addition and subtraction of four figures. (v) Multiplication. Using square numbers and number line.

CONTENT

Geometry

CONCEPTS ARE INVOLVED

(i) Diameter. (ii) Prarllelism. (iii) Intersection
of lines. (iv) Perpendiculars. (lines at right
angle). (v) The plane. (vi) Curved surface. (vii)
Perimeter. (viii) Radius of a circle. (ix)
Parallelogram. (x) Trapezium.

FACTS

The relationships between kilometre and meter.

THE EXPECTED SKILLS

(i) Full practical knowledge of surfaces for 3-D solids e.g a cube has 6 square surfaces. (ii) Cube numbers. (iii) Volume. (iv) Measuring lines with a ruler. (v) Construction of perpendiculars (line at right angle). (vi) Construction of parallel lines. (vii) Practical experience of ractangle, triangle and parallelogram as used in pattern work. (viii) Drawing circle with a given radius.

A content analysis of the third primary school book (modern mathematics)

CONTENT

Sets

sets.

THE CONCEPTS ARE INVOLVED

(i) The universal set. (ii) The union of two sets.(iii) The intersection of two sets. (iv) Disjoint

THE EXPECTED SKILLS

(i) Diagrams showing union and intersection of sets.

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

(i) Doubling numbers. (ii) Approximation.

FACTS

(i) Relationships of an Egyptian pound units and metric system units. (ii) The relationships between kilogram and tonne.

THE EXPECTED SKILLS

(i) Being able to double numbers. (ii) Approximation

to nearest whole, ten, hundredth, thousandth. (iii)
Long division. (iv) The ability to tell the time.

CONTENT

Geometry

THE CONCEPTS ARE INVOLVED

(i) Angles.(ii) Acute, obtuse and reflex angles.(iii) Curves.(iv) Diameter, radius and chord of a circle.

FACTS

(i) Relationships between meter and millimetre.

THE EXPECTED SKILLS

(i) Finding the numbers of surfaces, edge and vertices of geometrical solids. (ii) Drawing perpendicular lines using ruler and setsquares. (iii) Drawing parallel lines using ruler and setsquares. (iv) Drawing a square and a triangle using setsquare and ruler.

A content analysis of the fourth primary school book (modern mathematics)

CONTENT

Sets

THE CONCEPTS ARE INVOLVED

(i) Inclusion.(ii) Intersecting sets.(iii)Inclusion of sets.Disjoint sets.

THE EXPECTED SKILLS

(i) Solving simple problems using Venn diagrams.

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

(i) Natural number. (ii) The addition identity element (zero). (iii) The multiplication identity element (one). (iv) Exponent of a power. (v) Common fraction. (vi) Proper fraction. (vii) Improper fraction. (viii) Prime number. (ix) The lowest common multiple. (x) Decimal.

FACTS

(i) For every two natural numbers A, B there is a natural number Y which is the sum of A and B. (ii)

For every natural number A-0=A and A-A=0. (iii) For every two natural numbers A, B there is N a natural number which is product of A and B. (iv) For every natural number A. A x 0 = 0 and A x 1 = A. (v) Division A/B, may be applied on natural numbers only if the numerator A is a common multiple B. (vi) For every natural number A, A/1 = A. A/A = 1. (vii) The four rules on natural numbers, decimal and common fractions.

THE EXPECTED SKILLS

(i) The four rules with natural numbers. (ii) The four rules with proper fractions. (iii) The four rules with decimals. (iv) The four rules with proper fractions.

CONTENT

Geometry

THE CONCEPTS ARE INVOLVED

(i) Vector. (ii) Displacement.

FACTS

(i) The point is displacemented to point. The line sector is displacemented to line sector. The triangle is displaced to triangle. (ii) No change on shape measure and attitude when displacement. (iii) For every displacement there is inversion

displacement to turned back in its place. (iv) The sum of two displacement is one displacement. (vi) The displacement is a change of position only (not direction). (vii) Sum of angles of a triangle is 180 degree.

THE EXPECTED SKILLS

Graphical representation of data. (ii) The displacement of point. (iii) The displacement of line sector. (iv) The displacement of triangle. Finding result of two displacements. (vi) The the type of triangle by its sides. realization of (vii) The knowledge of types of triangle by their angles. (viii) Drawing angle with a given angle using a protractor. (ix) Drawing a triangle with given two sides and the angle between them.

A content analysis of the fifth primary school book (modern mathematics)

CONTENT

Numbers

THE CONCEPTS ARE INVOLVED

(i) Proportion. (ii) Mean. (iii) Associative property for addition and multiplication. (iv) Distributive property of multiplication over addition.

FACTS

- (i) For any natural numbers A, B, and C:
 - (I) A + (B + C) = (A + B) + C.
 - (II) $A \times (B \times C) = (A \times B) \times C$.
 - (III) $A \times (B + C) = A \times B + A \times C$.
- (ii) Mean = total of a set of quantities divided by number of quantities. Total of a set of quantities = mean x number of quantities.

THE EXPECTED SKILLS

- (i) Approximation to one, two and three decimals.
- (ii) Calculating the mean of sets of numbers. (iii) Finding the total of a set of quantities if its mean is known.

CONTENT

Geometry. Enlargement.

THE CONCEPTS ARE INVOLVED

(i) Area. (ii) Rotation. (iii) Centre of rotation.
(iv) Reflection. (v) Reflection line or line of symmetry. (vi) Combination of transformations.
(vii) Symmetry. (viii) Axis of symmetry or symmetry line. (ix) Repeated reflections. (x) Vertical axis.

(xi) Horizontal axis. (xii) Perpendicular lines.

FACTS

(i) Perimeter of a square = length of side x 4. (ii) Perimeter of a rectangle = $(length + width) \times 2$. (iii) Area of a square = the side x itself. (iv) The area of rectangle = length x width. (v) The relation between square units. (vi) The relation between Egyptian land measurements e.g Fidan, kirat sahem, etc... (vii) If В image of is an Α, then the reflection line is perpendicular to the line AB. (viii) Many successive displacement can be replaced by one equivalent displacement.

THE EXPECTED SKILLS

(i) Finding perimeter and area of a square. (ii) Finding perimeter and area of a rectangle. (iii) Drawing squares and rectangles by measuring. (iv)

Drawing a right angled triangle by measuring. (v)

Drawing angle equal to a known angle. (vi) Finding
the image of a geometrical shape by repeated
reflection in two perpendicular lines.

بسم الله الرحمن الرحيم

الا_تاذ الفاضل/الا_تاذه الفاضل__ة

انا بصدد عمل بحث في التربية للعمول على الدكتوراه من كلية التربية بجامعة درهام في انجلترا ·

ا مل في تصميم اختبارات للمهارات الاساسية في الرياضيات للمرحلة الابتدائية لكي تستخدم في المدارس الابتدائية في مصر ، وكجز من رسالتي فانني اقوم بعدمل مسح لوجهات نظر المتخصصين في مجال تدريس المهارات الاساسية للرياضيات في المرحلة الابتدائية في كل من مصر وانجلترا ، ولذلك فانني ارجو مساعدتكم ، وارشادكم الذي قد يثرى البحث ويغنيه وينجعل له الهمية ، وذلك من خلال الاجابة على الاستبيان الاتي :_

واننى اريد ان اوجه عناية سيادتكم باننى استخدمت بعض التعريفات الاجرائية في هذا الاستبيان وسابدا بسردها :

المهارة: ١- يعقمد بها اىشى يختص بالتعلم الفردى (الشخصى) والعمل بسهولة ودقة سوا اذا كان ذلك يتعلم بالعمل الجسمى (الجسدى) او العمل العقلى .

يقمد بها : القدرة على استخدام المهارة الغنية في العدمليات الحسابي قد مثل العد ، الاستنتاج ،

الطرح ، التجريد .

المهارة الاساسية

ويسقمد بنها تلك السهارة الاساسية لاتقان السموضوعات المدرسية مثل الجمع او الطرح في الحساب.

المهارة النحويلية

ويقصد بها تحويل معلومة رياضية في صورة الى اخرى · ويتمثل هذه المهارة في الاتى :_

۱- القيام بانشا اتفى الهندسة ، وتعنى التعامل مع الادوات الهندسية ، القياس بانواعه ، رسم بعض الاشكال بشروط معينه بما في ذلك الانشا اتاو العمليات الهندسية او ما يسمى بالهندسة العملية ،

٢- مهارة قرائة لغة الرياضات، وتعنى قرائة الرموز والمصطلحات الرياضية ومعرفة مدلولاتها وقرائة الجمل الرياضية (العبارات) وتعرف معناها والتعبير عنها بلغة التلميذ كما تشمل تحديد المصطلحات والمطلوب في مسالة ما .

٣- كما تتمثل في القدرة على تحويل مسالة لفظية او تمرين هند سي الى شكل او مخطط والتعبير الفظى عن بعض القوانين والعلاقات وقرائة شكل هند سي والتعبير عن العلاقات الموجودة فيه لفظيا ، وتحويل جدول ما الى شكل بياني .

النمذجة السرياضية

ويقد بها تحويل موقف فيزيائي ما الى مجموعة من العلاقات

تعنى ايضا تحويل مسالة لفظية ما الى تعبيرات وعلاقات رمزية (مثل الوصول الى صيغة او صورة للمساحة لمساحة المستطيل بعد اخذ وحساب العديد من المستطيلة) .

المهارات الاجرائية (اجراء اتالعمليات الاساسية)

وتتمثل هذه المهارة في القدرة على اجراء عمليات حسابية ، مثل الجمع والطرح والقسمة والضرب في الحالات المعكنة وعلى انواع الاعداد المختلفة ، وايجاد الجذور التربيعية والتكعيبية وتحليل الاعداد وايجاد العامل والمضاعف المشترك بين عددين او اكثر .

المهارات التطبيقية

ويقمد بها القدرة على تطبيق الصيغ البسيطة للقوانين والعلاقات، مئـــل معـرفة صيغة المساحة للمستطيل، والقدرة على استخدام هذه الصيغـة لحساب مساحة مستطيل معطى ·

المهارات المنطقي

وتعنى القدرة على الوصول للنتائج من المعلوم ات المعطاه ٠ مثل ٢ +٣ = ٥ اذا ٥ - ٣ = ٢ او

في المواقف عندما ا = ب ، ب = ج اذا ا = ج الخ ٠ مهارة حال المشكلات

وتعنى القدرة على روية العلاقات الرياضية في اى موقف والوصول الى الحل · ضع علامة (س) امام ما يناسبك في الاستلة من ١: ٣ ·

١ - السوء ال الاول (١)

مفتش في المرحلة الابتدائية ناظر مدرسة ابتدائية مدرس اول في المدرسة الابتدائية وكيل مدرسة ابتدائية مدرس رياضيات في المرحلة الابتدائية مدرس في المرحلة الابتدائية مدرس في المرحلة الابتدائية مدرس في المرحلة الابتدائية مدرس طرق تدريس الرياضيات في كلية التربية مدرس في قسم المسول التربية التربية مدرس مساعد في كلية التربية التربية مدرس مساعد في كلية التربية مغيد في كلية التربية التربية التربية مغيد في كلية التربية التربية التربية التربية مغيد الناول الول

موهلاتك فسي الرياضيات

۱ _ ثانویه عامة ۲ _ دبلوم معلمین او معلماتنظام ۳ _ سنوات ۰

- ٣ _ دبلوم معلمين او معلماتنظام خمس سنواتشعبة عامة
 - ٤ _ ثانوية عامة + ٢ دبلوم خاص في تدريس الرياضيات
 - ٥ بكالوريوس رياضيـــــات
 - ٦ _ بكالوريوس رياضيــــات وتــربـيـــــة
 - ٧ _ ماجستير في الرياضيات والرياضيات والتربيدة

سنوات العمل في المدرسة الابتدائيسة الابتدائيسة اللي 10 1 الى 10 11 الى 10
الجنسس

غــــير موافــق بـــدة

الـــوال البرا بــــع

اكتسباب المهارات الاساسية للرياضيات من اهسم الاهداف في تدريس الرياضيات في المرحلة الابتدائية ، موافق بشسدة

غير مناكـــد

غير موافسة بشدة

اذا كنتغير موافق بشدة من فضلك اذكر السباب

السوال الخامس

مستوى مهارات الرياضيات المكتسبة بواسطة تلاميذ المرحلة الابتدائية العاديين مرضيات موافق بشدة

موافـــــق

غير متاكسد

غير موافييق

غير موافيدة

اذا كنتغير موافق بشدة من فضلك اذكر الاسباب.

السوالالسادس

يجبعلى كل تلاميذ المرحلة الابتدائية في ممسر

تعلم المهارات الاساسية للرياضيات. موافية بديدة غير مناكد غير موافيق غير موافية اذا كنت موافق اعطى بعض الاسباب. السوال السابع يجبعلى كل تلاميذ المرحلة الابتدائية في كل انحا العالم تعلم المهارات الاسساسية للرياضيات. اذا كنت موافق اعطى بعض الاسباب السوال الشامسن المهارات الاساسية للرياضيات لا تتغيير في اي مكان ٠ السوال التاسيع هناك اختلاسات بين مهارات الرياضيات المهارات الساسية للرباضيات. اذا كنت موافق من فيضلك اذكر هذه الاختلاف اتكما تراها انت

السوال العاشسر

المهارات التحويلية من الاهداف المهمة في تدريس الرياضات في المرحلة الابتدائيسة .

السبوال الحادى عشبير

المهارات الاتبة تعتبر مهارات تحويليسة .

- (١) القيام بانشاء اتفى الهندسة مثل الهندسة العملية .
 - (ب) مهاراتقرائة لغة الرياضيات، وتعنى قرائة الرموز والمصطلحات الرياضية ومعرفة مدلولاتها وقرائة الجمل
 - الرياضي____ة •
- (ج) تحويل البيانات الموجودة في جدول ما الي رسم بيساني .
 - (د) التعبير عن العلاقات والقوانين الرياضية لفظيا.
 - (ه) النمنجة الرياضية ، وتعنى تحويل موقف فيزيا تـــى

ما الى مجموعة من العلاقات الرياضية ، كما تعنى اينا

تحويل مسالة لفظية ما الى تعبيرات وعلاقات رمسزيسة ٠

من فضلك اذكر اى مهارات اخرى يسمكن ان تعتبر كمهارات تحويليسة مسن وجهسة نظرك .

السوال الثانى عشر

اكتاب المهارات الاجرائية من الاهداف المهامة في تدريس الرياضيات في المرحلة الابتدائيات.

السسوال الثالث عشسسر

- المهارات الاتبة تعتبر مهارات اجرائي
- (١) القدرة على اجرا عمليات حسابية كالجمع والطرح والضرب و
 - (ب) القدرة على حساب مربع او مكعب ا ي عدد ٠
 - (ج) ايجاد العامل والمضعف المشترك بين عددين او اكثر ٠
 - (د) ايجاد الاتحاد والققاطع لفشتين ٠
 - (ه) القدرة على تحويال عدد من نظام الخير (مثل القدرة على تحويل ١٠٠ للاساس ١٠ للنظام الثنائي) ٠
 - (و) القدرة على اجراء قواعد الحساب الاربعة في الانظمية المختلفيينية .
 - اذكر اى مهارات اخرى التى تعتبرها مهارات اجرائيسسة · السوال الرابع عشر

اكساب المهارات التطبيقية من الاهداف المهمة في تدريس الرياضيات في المرحكة الابتدائيسة . موافيسة بشدة

مــوا فــــــق

غسير مناكد

غير ميوافي

غير مسوفق بسمسدة

السوال الخامس عددر

المهارات الاتبة تعتبر مهارات تطبيقي قن

- (١) التبيق المباهب لقانون او علاقه "قانون مساحة مثلا "
 - (ب) التعبير عن متغير بدلالة متغيرات اخرى في علاقة او قانون معين ٠

من فضلك اذكر اى مهارات اخرى يدمكن ان تعتبر مهارات تطبيقية في المرحلة الابتدائية من وجهة نظرك · السوال السادس عشر

اكساب المهارات المنطقية من الاهداف المهمة في تدريس الرياضيات في المرحلة الابتدائيسة .

مروا في بسدة

م___قاف____ق

غير متاكد

غير مسوافق

غير ميوافق بشدة

السوال السابع عسس

المهارات الاتية تعتبر مهارات منطقي

- (١) برهان لبعض العلاقات الهنسية او الجبرية البسيطة .
 - مثل اذا کان ا = ب ، ب = ج اذا ا = ج ٠
- (ب) التعليل للخطوات المستخدمة لحل مسالة رياضية ٠

- (ج) القدرة على حل المسالة الرياضية بطرق متعددة مثل القدرة على تقرير اكبر ضلع في مثلث بالقياس، ومعرفة انه مقابل اكبر زاوية في مثلث .
 - (د) القدرة على استخدام العمليات العكسية

مثـل ٥ _ ؟ = ٣ ه ٥ ٣ =

من فظك اذكر اى مهارات اخرى التى تعتبرها مهارات منطقية • السوال الثامن عشر

اكساب مهارة حل المشكلات من الاهداف المهمة في تدريس الرياضيات في المرحلة الابتدائية •

اذا كنت موافق من فضلك اذكر بعض الاسباب.

السوال التاسع عشر

المهارات الاتية تعتبر مهارات حل المشكلات:

- (۱) استخدام اساليبرياضية عامة وتعنى اعطاء امثلة تحقق خاصة معينة او نظرية ، وتعرف ظاهرة عامة من امثل خاصة م واستدعاء بعض الخواص المناسبة لموقف رياض والتمييز بين المعطيات والنتائج في مسالة او مشكلة ،
- (ب) القدرة على الوصول لنتائج عامة من امثلة خاصة معينة
 - (ج) حل تـمارين تنضمن مهارات متعددة ٠
 - (د) حل اسئلة غير نمطية ٠

- - (ع) القدرة على استخدام طرق رياضية في حل مشكلات رياضية او غير رياضيسة .

من في خلك اذكر اى ميهارات اخيرى التى تبعيتبرها من ميهارات حل الميشكلات .

السوال العشرون

- (۱) المهارات الاساسية للرياضيات تحقق من خلال محتوى الرياضيات الذي يستخدم في المدرسة الابتدائية الان
 - (ب) هذه المهارات تحقق باستخدام ٠
 - (١) التعلم بالاكتشاف ٠
 - (٢) طريقة حدل المشكلات ٠
 - (٣) الطرق العملية ٠
 - (٤) التعليم البرنامجي٠
 - (٥) طرق اخسرى من فيضلك اذكرها ٠

السوال الحادى والعشرين

المهارات الاساسية للرياضيات تحقق افضل من خلال :-

- (ب) الرياضيات التقليدية .
- (ج) المرج بين الرياضيات الحديثة والتقليدية .

السوال الثاني والعشرين

لتحقيق المهارات الاساسية للرياضيات من الافضل استخدام:

- (١) السبورة ، الطباشير ، الحديث .
- (ب) الاجهزة والنماذج التعليمية ٠
 - (ج) استخدام البيئة ٠
 - (د) اشيا * اخرى من فيضلك وضحها .

السوال الثالث والعشرين

المهارات الاساسية للرياضيات تحقق من خلال طرق التدريس الحالية في المرحلة الابتدائييية .

اذا كنت موافق من فيضلك اذكر الطرق المستخدمة .

اذا كنتغير موافق من فضلك وضح الاسباب.

السوال الرابع والعشرين

المهارات الاساسية للرياضيات توخذ في الاعتبار عند وضع مناهج اعداد معلمي المرحلة الابتدائي

APPENDIX (XV)

FORM OF THE ENGLISH QUESTIONNAIRE

Dear Sir Madam.

I am a Ph.D student in the school of Education at the university of Durham. I hope to design tests of fundamental (Basic) mathematical skills for use in Egyptian schools, and as part of my research I am making a survey of experts' views on these skills both in Egypt and England.

I would be most grateful for your help by completion of the following questionnaire. For the purposes of this questionnaire I have used the following definitions of skills:-

(1) SKILL:

- 1- Anything that the individual has learned to do with ease and precision; may be either a physical or a mental performance.
- 2-(Orthopaedic) manipulative proficiency in hand, finger, foot, and eye coordination.

 (A dictionary definition).

(2) MATHEMATICAL SKILL:

Is the ability to use the operational

techniques of mathematics for example, computation, induction, deduction, and abstraction.

(3) FUNDAMENTAL SKILL:

Is that which is basic to the mastery of a school subject, such as addition or subtraction in arithmetic.

(4) TRANSFERABLE SKILL:

Is the ability to transfer a single piece of mathematical information from one form into another form. (For example, the ability in geometry to read measurements of a triangle and to draw that triangle, or being able to read a mathematical sentence and being able to express its meaning in children's language, or reading a table of data and being able to draw a graph of that data etc....).

(5) MATHEMATICAL MODELISM:

Is the ability to create a mathematical model of a physical situation in terms of symbols or equations. (e.g being able to arrive at the formula for area of a rectangle after having "counted squares" in many rectangles)

(6) PROCEDURAL SKILL:

Is the ability to do a fundamental

mathematical process (e.g the ability to do addition, subtraction, division, multiplication etc...).

(7) APPLIED SKILL:

Is the ability to apply simple formulae, laws or relations. (e.g knowing the formula for area of a rectangle, being able to use the formula to calculate the area of a given rectangle).

(8) LOGICAL SKILL:

Is the ability to draw a conclusion from given data (e.g being able to reason that since 2 + 3 = 5 then 3 = 5 - 2, or in situations where A = B and B = C to conclude that A = C etc....).

(9) PROBLEM SOLVING SKILL:

Is the ability to see the mathematical relationships in a situation and to compute a solution.

Please tick a box or boxes in questions 1 to 3.

(1) (a	.) 	-+-	- <u>-</u>	+			- - +				
advis	or in ry	i:	n primar; chool	y i i	teac resp for	her wit onsibil mathema	Primary with teacher bility ematics				
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Psych in Ur Depar Educa	ologis iversi tment tion	t ty of	Maths. lecture: Univ. De of Educa	sc le Un	imary hool Me cturer iv. Dep Educat	Other, please state					
			l .		1						
(1) O level											
1-5 1-5 	6-10	11-	15 16-20	0 21	-25 	26-30 	 31-3 		Over 35		
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(3) Se +		-+-·		+		T	T — — —	+			
мале	:	١.	remate	1							

For each statement below, please indicate with a tick (/) whether you strongly agree (SA) agree (A), are undecided (U), disagree (D), or strongly disagree (SD).

(4) Acquiring fundamental mathematical skills is an important aim in teaching mathematics in primary school.

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

Strongly disagree (SD)

If you strongly disagree please give the reasons.

-	-	_	-	_	_	-	_	_	-	_	_	_		-	-	-	-	-	-	_
-	_	-	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	-	_	
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_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_	_

(5) The level of mathematical skills reached by the normal primary school child is satisfactory.

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

If you disagree please give the reasons.
(6) All British primary school pupils should be
taught Fundamental mathematical skills.
Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)
If you agree please give some reasons.
~
(7) Fundamental mathematical skills should be taught
to primary school pupils throughout the world.
Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)

If you agree please give some reasons.
,
(8) Fundamental mathematical skills are the same
everywhere.
Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)
(9) There are differences between mathematical skills
and Fundamental mathematical skills.
Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)
If you agree please give the differences as you see
them.

(10) Transferable skills are an important aim in primary mathematics teaching.

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

Strongly disagree (SD)

- (11) The following skills are transferable skills:-
 - (a) Practical skills, as in practical geometry.
 - (b) Reading skills of mathematical language as in reading mathematical symbols and terms and being aware of their meaning.
 - (c) Transferring a table of data to a graph.
 - (d) Expressing a mathematical law, equation or relation in words.
 - (e) Creating a mathematical model of a physical situation in terms of symbols, equations or formulae.

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

Please	list	any	other	skills	tha	t	you	consi	ider
transf	erable s	skill	S.						
				_					
				_					
		-		_					
				_					
(12) A	equiring	g pro	cedural	skills	are	an	impo	rtant	aim
in pri	mary mat	thema	tics tea	aching.					
Strong	ly agree	e (SA)						
Agree	(A)								
Undecid	ded (U)								

(13) The following are procedural skills:-

Disagree (D)

- (a) Being able to do mechanical addition, subtraction, multiplication.
- (b) Being able to calculate the square or cube of a number.
- (c) Finding a common divisor denominator or common multiple of two numbers.
- (d) Finding the union or intersection of two sets.
- (e) Being able to change a number from one base to another. (e.g being able to change 12 base ten to a binary number).

rule

examples in multibase arithmetic. Strongly agree (SA) Agree (A) Undecided (U) Disagree (D) Strongly disagree (SD) Please list any other skills that you consider as procedural skills. (14) Acquiring applied skills is an important aim primary mathematics teaching. Strongly agree (SA) Agree (A) Undecided (U) Disagree (D) Strongly disagree (SD) (15) The following are applied skills:-(a) Direct application of mathematical laws

or relations (e.g using the formula for area

of a rectangle).

(f) Being able to do simple four

(b) Expressing a variable as a combination of other variables (e.g the perimeter of a rectangle is the sum of the lengths of the four sides).

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

Strongly disagree (SD)

Please list any other skills that you consider as applied skills.

(16) Acquiring logical skills is an important aim in primary mathematics teaching.

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

- (17) The following skills are logical skills:-
 - (a) Proof of simple geometrical or algebraic

relation

- (e.g if a = b and b = c then a = c).
- (b) Being able to solve a problem by various methods
- (e.g being able to decide the longest side of a triangle by measurement of length or realizing it is opposite the largest angle).
- (c) Being able to use an inversion process (e.g solving 5 ? = 3 by calculating 5 3).

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

Strongly disagree (SD)

Please list any other skills which you consider as logical skills.

_	_	_	_	_	_	-	_	-	-	_	-	_	_	_	-	_	_	_	_	-		_	-	_	_	_	
_	_	_	_	_	_	_	_	_	_	_	_	_	_		-	_	_	_	_	_		_	_	_	_	_	
_	_	_	_	_	_	_	_	_	_		_	_	_	_	_		_	_	_	_	_	_		_	_	_	

(18) Acquiring problem solving skills is an important aim in primary mathematics teaching.

Strongly agree (SA)

Agree (A)

Undecided (U)
Disagree (D)
Strongly disagree (SD)
If you agree please list some reasons.

- (19) The following skills are problem solving skills:-
 - (a) Being able to establish the relationship between given data and the required result.
 - (b) Being able to arrive at a general result from particular examples.
 - (c) Solving a problem which requires several skills.
 - (d) Solving non-standard problem.
 - (e) Being able to formulate a simple scientific problem in terms of mathematics (e.g establishing the relation between the height a ball is dropped from and the rebound height).
 - (f) Being able to use mathematical methods in solving mathematical or non-mathematical issues.

Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)
Please give any other skills which you consider
problem solving skills.
(20) (A) The Fundamental mathematical skills are well
covered in the scheme of mathematics used in your
school.
Strongly agree (SA)
Strongly agree (SA) Agree (A)
Agree (A)
Agree (A) Undecided (U)
Agree (A) Undecided (U) Disagree (D)
Agree (A) Undecided (U) Disagree (D)
Agree (A) Undecided (U) Disagree (D) Strongly disagree (SD)
Agree (A) Undecided (U) Disagree (D) Strongly disagree (SD) (B) These skills are covered by:-
Agree (A) Undecided (U) Disagree (D) Strongly disagree (SD) (B) These skills are covered by:- (i) Discovery learning.

-	(v) Other learning methods:- (Please state).
Strongly a	agree (SA)
Agree (A)	
Undecided	(U)
Disagree ((D)
Strongly o	disagree (SD)
(21) The I	Fundamental mathematical skills are best
covered in	n:-
((a) Modern syllabus.
((b) Traditional syllabus.
((c) Mixed syllabus.
Strongly a	agree (SA)
Agree (A)	
Undecided	(U)
Disagree ((D)
Strongly o	disagree (SD)
(22) To (cover the Fundamental Mathematical skills it
is best to	o use:
((a) Blackboard, chalk, talk.
((b) Structural apparatus.
((c) The environment.
((d) Other equipment (Please list)

Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)
(23) The Fundamental mathematical skills are well
learnt and understood by primary children using
current teaching methods.
Strongly agree (SA)
Agree (A)
Undecided (U)
Disagree (D)
Strongly disagree (SD)
If you agree please state method used:
If you disagree please explain why:
**

(24) Fundamental mathematical skills are well covered in initial teacher training courses.

Strongly agree (SA)

Agree (A)

Undecided (U)

Disagree (D)

Strongly disagree (SD)

Please give comments on your views for this question.

APPENDIX XV

The results of the Egyptian questionnaire (jobs)

<u> </u>	1	.	. 	
	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	12	9.9	10.3	10.3
2	13	10.7	11.1	21.4
3	13	10.7	11.1	32.5
1 4	25	20.7	21.4	53.8
1 5	21	17.4	17.9	71.8
6	12	9.9	10.3	82.1
7	1	0.8	0.9	82.9
8	1 1	0.8	0.9	83.8
9	1 1	0.8	0.9	84.6
10	2	1.7	1.7	86.3
11	6	5.0	5.1	91.5
12	10	8.3	8.5	100.0
13	+ 4 ,	3.3	Missing	100.0
total	121	100.0	100.0	
+	+	+	+	+

APPENDIX (XVI)

The results of the Egyptian questionnaire (qualifications)

Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	1	0.8	0.9	0.9
2	13	10.7	11.3	12.2
3	1 45	37.2	39.1	51.3
4 4	26	21.5	22.6	73.9
1 5	3	2.5	2.6	76.5
6	1 7	5.8	6.1	82.6
7	1 1	0.8	0.9	83.5
8	1 1	0.8	0.9	84.3
9	2	1.7	1.7	86.1
10	3	2.5	2.6	88.7
11	1 7	5.8	6.1	94.8
12	2	1.7	1.7	96.5
13	1 4	3.3	3.5	100.0
99	6	5.0	Missing	100.0
total	121	100.0	100.0	

APPENDIX (XVII)

The results of the Egyptian questionnaire (years of work)

+	<u> </u>	+	. 4	4
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	10	8.3	9.5	9.5
1 2	12	9.9	11.4	21.0
3	24	19.8	22.9	43.8
1 4	23	19.0	21.9	65.7
1 5	15	12.4	14.3	80.0
6	10	8.3	9.5	89.5
7	8	6.6	7.6	97.1
1 8	3	2.5	2.9	100.0
9	16	13.2	Missing	100.0
total	121	100.0	100.0	
T	T	T		T

APPENDIX (XVIII)

The results of the Egyptian questionnaire (Sex)

Code			Adjusted Freq.	CUM Freq.	-+
1 1	83 	68.6	69.7	69.7	
1 2	1 36	29.8	30.3	100.0	
9	2	1.7	Missing	100.0	

+	+	+	+	
		Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	82	67.8	68.3	68.3
2	38	31.4	31.7	100.0
9	1	0.8	Missing	100.0
total	121	100.0	100.0	
	,	T	T	T

+	+	+	+	+
		Relative Freq.	Adjusted Freq.	CUM Freq.
1	21	17.4	17.9	17.9
2	12	9.9	10.3	28.2
1 3	4	3.3	3.4	31.6
1 4	34	28:1	29.1	60.7
1 5	46	38.0	39.3	100.0
9	1 4	1 3.3	Missing	100.0
total	121	100.0	100.0	†
,	,	T	T	T

APPENDIX (XXI)

The results of the Egyptian questionnaire (question 6)

+	+	+	+	+
		Relative Freq.	Adjusted Freq.	CUM Freq.
1	69	57.0	60.0	60.0
1 2	41	33.9	35.7	95.7
3	4	3.3	3.5	99.1
1 4	1	0.8	0.9	100.0
9	6	5.0	Missing	100.0
Total	121	100.0	100.0	

 $\frac{\text{APPENDIX (XXII)}}{\text{The results of the Egyptian questionnaire (question } \frac{7}{2})}$

+	+	+	+	+
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	62	51.2	53.0	53.0
2	36	29.8	30.8	83.8
3	14	11.6	12.0	95.7
4	1 5	4.1	4.3	100.0
9	1 4	3.3	Missing	100.0
Total	121	100.0	 	

APPENDIX (XXIII)

+	+	+	+	*
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	50	41.3	44.2	44.2
1 2	43	1 35.5	38.1	82.3
3	14	11.6	12.4	94.7
1 4	5	4.1	4.4	99.1
1 5	1	0.8	0.9	100.0
9	1 8	6.6	Missing	100.0
Total	121	100.0	100.0	
T		+	+	+

APPENDIX (XXIV)

The results of the Egyptian questionnaire (question 9)

+	+	+	+	+
Code	Absolute Freq.	Freq.	Adjusted Freq.	CUM Freq.
1	19	15.7	17.3	17.3
2	51	42.1	46.4	63.6
3	18	14.9	16.4	1 80.0
4	22	18.2	20.0	100.0
9	11	9.1	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXV)

Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	56	46.3	54.9	54.9
2	35	28.9	34.3	89.2
3	! 8	6.6	7.8	97.1
4	i 3	2.5	2.9	100.0
9	1 19	15.7	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXVI)

+	+	+	+	+
	Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	46	38.0	59.0	1 59.0
1 2	28	23.1	35.9	94.9
1 3	2	1.7	2.6	97.4
4	2	1.7	2.6	100.0
9	43	35.5	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXVII)

+	+	+	+	+
Code	Freq.	Freq.	Adjusted Freq.	Freq.
1 1	36	29.8	52.2	1 52.2
2	31	25.6	1 44.9	97.1
3	1 2	1.7	2.9	100.0
9	52	43.0	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXVIII)

+	+	+	+	
	Freq.	Freq.	Adjusted Freq.	Freq.
1 1	31	25.6	44.2	44.2
2	37	30.6	52.9	97.1
3	2	1.7	2.9	100.0
9	51	42.1	Missing	100.0
Total	121	100.0	100.0	+
T	T	T	+	+

APPENDIX (XXIX)

+	+	+	+	4 4
	Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	31	1	47.0	1 47.0
2	31	25.6	47.0	93.9
3	4	3.3	6.1	100.0
9	55	45.5	Missing	100.0
Total	121	100.0	100.0	
+	+	+	+	100.0

APPENDIX (XXX)

4	Freq.	Relative Freq.	Freq.	Freq.
1 1	30	•	•	41.7
1 2		28.9	48.6	90.3
3	7	5.8	9.7 +	100.0
9	49	•	Missing	•
Total	121	100.0	100.0	

APPENDIX (XXXI)

The results of the Egyptian questionnaire (question 12)

_	+	_	+	
ł	Freq.	Relative	Freq.	Freq.
1	64	•	62.1	62.1
1 2	34	28.1	33.0	95.1
3	5	4.1	4.9	100.0
9	18	14.9	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXII)

Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	58	47.9	61.7	61.7
2	35	28.9	37.2	98.9
3	1	0.8	1.1	100.0
9	27	22.3	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXIII)

+	+	+	+	+
Code	Absolute Freq.	Relative Freq.		CUM Freq.
1 1	45	37.2	57.0	57.0
1 2	31	25.6	39.2	96.2
3	2	1.7	2.5	98.7
4	1	0.8	1.3	100.0
9	42	34.7	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXIV)

+	+	+		4
	Freq.	Freq.	Adjusted Freq.	Freq.
1	1 43	35.5	54.4	1 54.4
2	34	28.1	43.0	97.5
3	2	1.7	2.5	100.0
9	42	34.7	Missing	100.0
Total	121	100.0	100.0	()
T	T — — — — — — —	T	T	+

APPENDIX (XXXV)

+	+	+	+	4
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	1 45	37.2	57.0	57.0
2	30	24.8	38.0	94.9
3	3	2.5	3.8	98.7
4	! 1	0.8	1.3	100.0
9	42	34.7	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXVI)

+	+	+	+	4
	Absolute Freq.	-	Adjusted Freq.	CUM Freq.
1 1	42	34.7	56.0	56.0
2	22	18.2	29.3	85.3
3	10	8.3	13.3	98.7
4	1	0.8	1.3	100.0
9	46	38.0	Missing	100.0
Total	121	100.0	100.0	1

APPENDIX (XXXVII)

_		L 	.	_	L
				Adjusted Freq.	CUM Freq.
	1	50	41.3	63.3	63.3
_	2	26	21.5	32.9	96.2
_	3	1	0.8	1.3	97.5
	4	2	1.7	2.5	100.0
	9	42	34.7	Missing	100.0
_	Total	121	100.0	100.0	
-		r	T	T — — — — — — — .	T

APPENDIX (XXXVIII)

The results of the Egyptian questionnaire (question 14)

	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	57	47.1	57.0	57.0
2	35	28.9	35.0	92.0
3	2	1.7	2.0	94.0
i 4	5	4.1	5.0	99.0
1 5	1	0.8	1.0	100.0
9	21	17.4	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXIX)

_		+	<u>+</u>	+	4
			Relative		CUM Freq.
j	1	42	34.7	1 54.5	54.5
1	2	33	27.3	42.9	97.4
	3	1	0.8	1.3	98.7
	4	1	0.8	1.3	100.0
	9	44	36.4	Missing	100.0
٦ ا	Total	121	100.0	100.0	
			T	, 	+

APPENDIX (XXXX)

sults of the Egyptian questionnaire (question

Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	29	24.0	40.8	40.8
2	1 33	27.3	46.5	87.3
3	1 6	5.0	8.5	95.8
4	+ 3	2.5	4.2	100.0
9	1 50	41.3	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXXI)

+	+			4
	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	51	42.1	54.3	1 54.3
2	36	29.8	38.3	92.6
4	6	1 5.0	6.4	98.9
5	1 1	0.8	1.1	100.0
9	1 27	22.3	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXXII)

+	+	+	+	+
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	45	37.2	57.7	57.7
1 2	28	23.1	35.9	93.6
4	4	3.3	5.1	98.7
5	1 1	0.8	1.3	100.0
9	43	35.5	Missing	100.0
Total	121	100.0	100.0	
1	,	1	T	T

APPENDIX (XXXXIII)

The results of the Egyptian questionnaire (question $\frac{17}{b}$)

+	+	+	4	
1	Freq.	Freq.	Adjusted Freq.	Freq.
1	34	•	54.0	54.0
1 2	28		1 44.4	98.4
3	1		1.6	100.0
9	58	47.9	Missing	100.0
Total	121	100.0	100.0	
	,	T	·	T

APPENDIX (XXXXIV)

The results of the Egyptian questionnaire (question 17 c)

			+ Adjusted Freq.	CUM
1 1	1 37	30.6	56.9	56.9
2	28	23.1	43.1	1 100.0
9	56	46.3	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXXV)

+	+	+	+	+
Code	Absolute	Relative	Adjusted Freq.	CUM Freq.
1	1 54	44.6	50.5	50.5
2	38	31.4	35.5	86.0
3	10	8.3	9.3	95.3
1 4	5	4.1	4.7	100.0
9	14	11.6	Missing	100.0
Total	121	100.0	100.0	
T	T	T	+	+

APPENDIX (XXXXVI)

+	+	_		.4
Code	Freq.	Freq.	Adjusted Freq.	CUM Freq.
1 1	1 38	31.4	49.4	49.4
2	37	30.6	48.1	97.4
3	2	1.7	2.6	100.0
9	94	36.4	Missing	100.0
Total	121	100.0	100.0	
	,	,	T	T

APPENDIX (XXXXVII)

The results of the Egyptian questionnaire (question $19 \ b$)

+	+	+	+	
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	32	26.4	51.6	51.6
2	27	27.3	43.5	95.2
3	2	1.7	3.2	98.4
1 4	1	0.8	1.6	100.0
9	59	48.8	Missing	100.0
Total	121	100.0	100.0	

APPENDIX (XXXXVIII)

The results of the Egyptian questionnaire (question 19 c)

+	+	+	+	
Code	Absolute Freq.	Freq.	Adjusted Freq.	CUM Freq.
1	28	23.1	46.7	46.7
2	26	21.5	43.3	90.0
1 3	1	0.8	1.7	91.7
1 4	5	4.1	8.3	100.0
9	61	50.4	Missing	100.0
Total	121	100.0	100.0	
,	1			T

APPENDIX (XXXXIX)
The results of the Egyptian guestionnaire (guestion)

Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	25	20.7	40.3	40.3
2	32	26.4	51.6	91.9
3	. 2	1.7	3.2	95.2
4	3	2.5	4.8	100.0
9	59	48.8	Missing	100.0
Total	121	100.0	100.0	
	- +-	+	·+	+

 $\frac{\text{APPENDIX (L)}}{\text{The results of the Egyptian questionnaire (question 19 e)}}$

+	+	+	+	+
I .		-	Adjusted Freq.	CUM Freq.
1 1	34	•	54.0	54.0
1 2	22	18.2	34.9	88.9
3	7	5.8	11.1	100.0
9	58	47.9	Missing	100.0
Total	121	100.0	100.0	1
,	T	T	T	

+	+	+		1
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	40	33.1	51.3	51.3
1 2	34	28.1	43.6	94.9
3	3	2.5	3.8	98.7
4	1	0.8	1.3	100.0
9	43	35.5	Missing	100.0
Total	121	100.0	100.0	! !
,	t .		1	T

APPENDIX (LII)

The results of the Egyptian questionnaire (question 20 A)

+	+	+	4	*
		Freq.	Adjusted Freq.	CUM Freq.
1	7	5.8	8.3	8.3
2	11	9.1	13.1	21.4
3	27	22.3	32.1	53.5
4	39	32.2	46.4	99.9
9	37	30.6	Missing	100.0
Total	121	100.0	100.0	
,		,	T	T

The results of the Egyptian questionnaire (question 20 B)

Code	Absolute Freq.	Relative	Adjusted Freq.	CUM
1	15	12.4	16.3	16.3
2	8	6.6	8.7	25.0
3	10	8.3	10.9	35.9
4	2	1.7	2.2	38.0
5	4	3.3	4.3	42.4
6	7	5.8	7.6	50.0
7	14	11.6	15.2	65.2
8	1 4	3.3	4.3	69.6
9	2	1.7	2.2	71.7
10	5	4.1	5.4	77.2
11	1	0.8	1.1	78.3
12	3	2.5	3.3	81.5
13	2	1.7	2.2	83.7
14	8	6.6	8.7	92.4
15	, 7	1 5.8	7.6	100.0
99	29	24.0	Missing	100.0
Total	121	100.0	100.0	1
,		T	T	

APPENDIX (LIV)

The results of the Egyptian questionnaire (question 21)

+	+	+	4	1
1	Freq.	Freq.	Adjusted Freq.	Freq.
1 1	23	•	21.3	21.3
2	7	1 5.8	6.5	27.8
3	78	64.5	72.2	100.0
9	13	10.7	Missing	100.0
Total	121	100.0	100.0	
T	T		+	+

APPENDIX (LV)

The results of the Egyptian questionnaire (question 22)

	4	.		
Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	16	13.2	15.7	15.7
2	1 8	6.6	7.8	23.5
3	6	5.0	5.9	29.4
1 4	1 13	10.7	12.7	42.2
1 5	2	1.7	2.0	44.1
6	7	5.8	6.9	51.0
1 7	42	34.7	41.2	92.2
8	8 	1 6.6	7.8	100.0
1 9	19	15.7	Missing	100.0
Total	121	100.0	100.0	†
T	T	T	· -	+

APPENDIX (LVI)

The results of the Egyptian questionnaire (question 23)

	+ Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1	, 7	5.8	6.9	6.9
2	3	2.5	2.9	9.8
3	26	21.5	1 25.5	35.3
4	35	28.9	34.3	69.6
5	31	25.6	30.4	100.0
9	19	15.7	Missing	100.0
Total	121	100.0	100.0	1 1

APPENDIX (LVII)

of the Eduntian questionnaire (question

Code	Absolute Freq.	Relative Freq.	Adjusted Freq.	CUM Freq.
1 1	75	62.0	74.3	74.3
2	21	17.4	20.8	95.0
3	2	1.7	2.0	97.0
1 4	1 2	1.7	2.0	99.0
5 1 5	1 1	0.8	1.0	100.0
9	20	16.5	Missing	100.0
Total	121	100.0	100.0	

اختبار مهارات الرياضيات عدم ٧ - ٩ سنوات زينب احدمد عديد الغني خدالد

ا ــــم الـمدر ـــة :ـ

ا ـــم النلميد :

تاربے الاختبار :

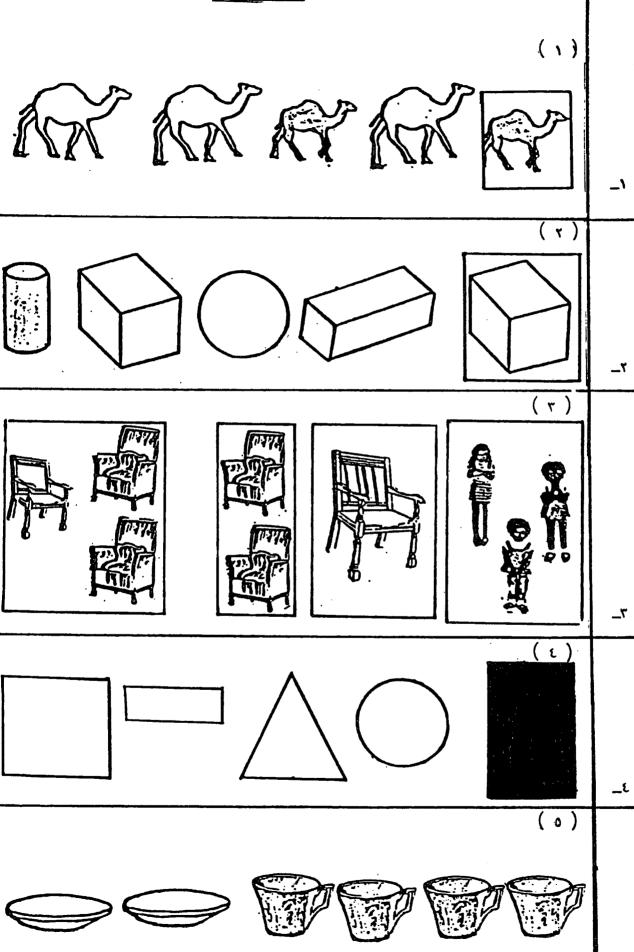
تاريخ ميلا الناسيذ:

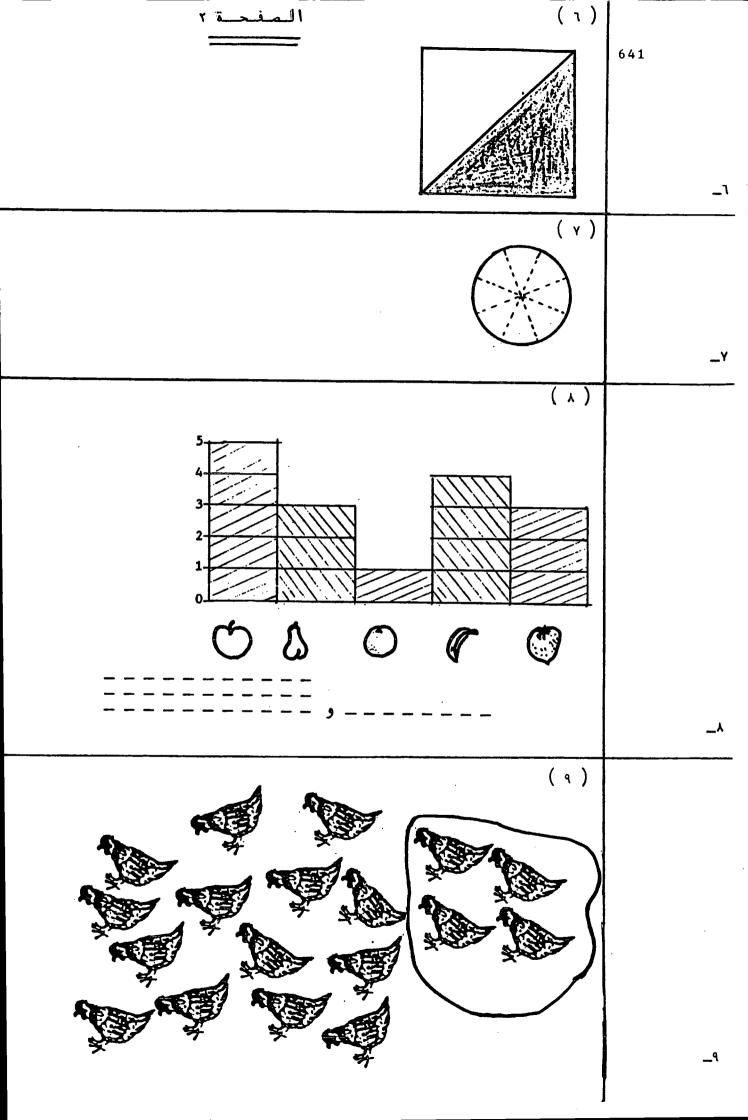
العدمددد :ـ

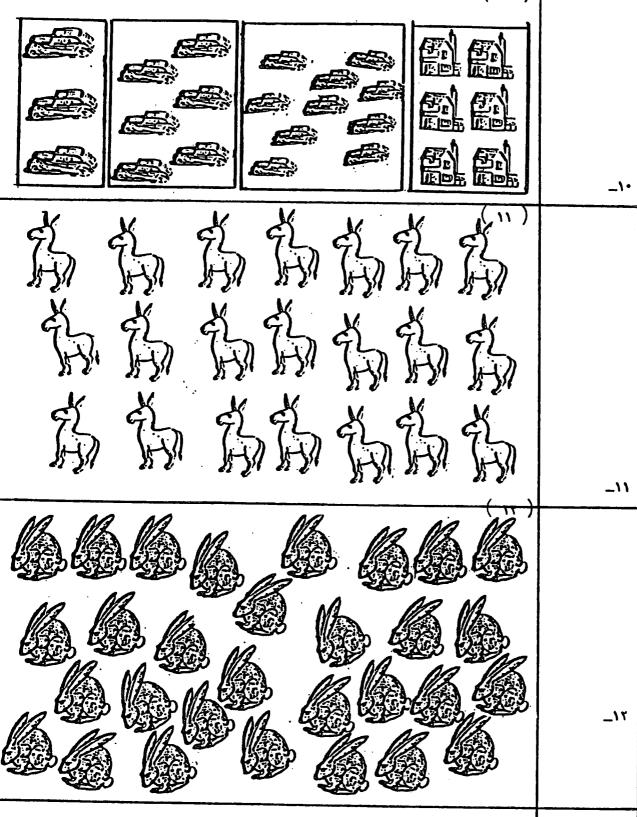
الجناب الجناب

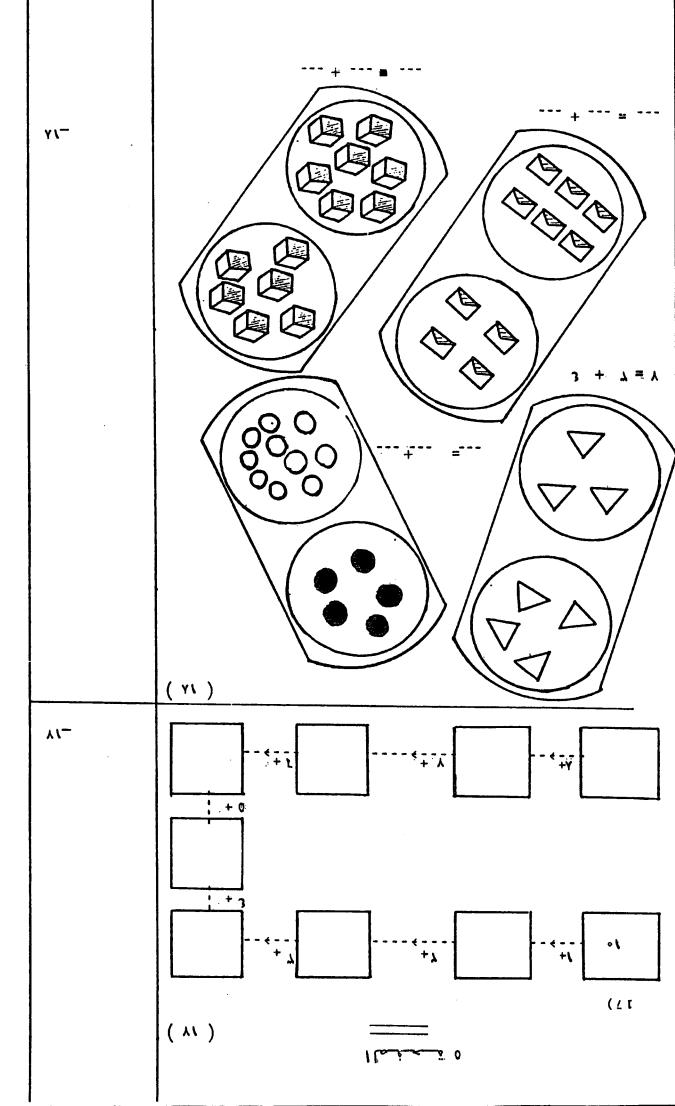
درجــة التلميذ في مادة الحــاب

لنصف السنة الدراسسية :-





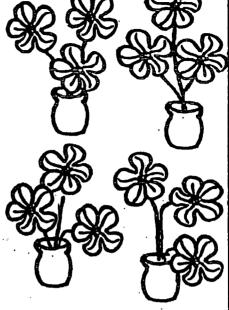




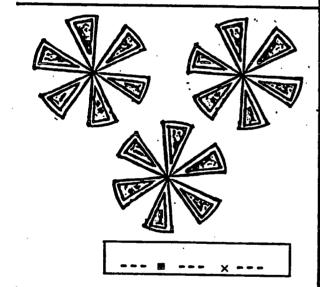




7 × 7 = 1

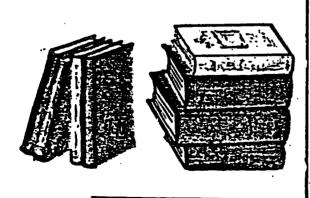


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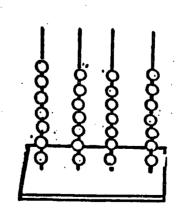




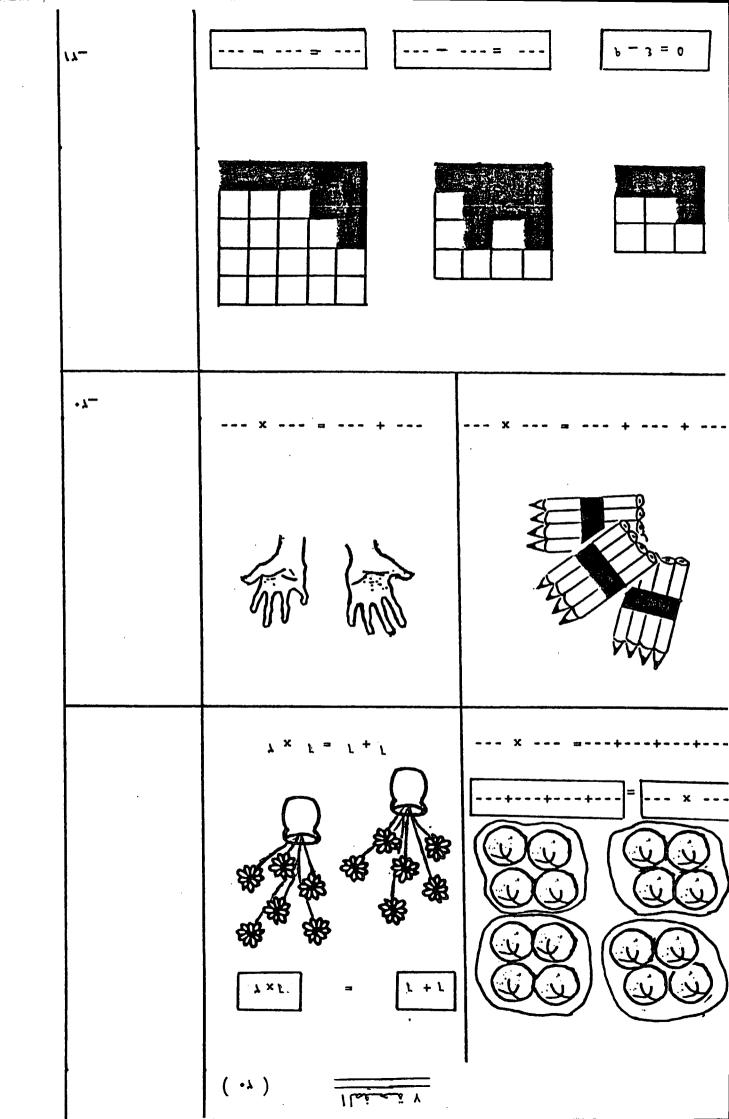
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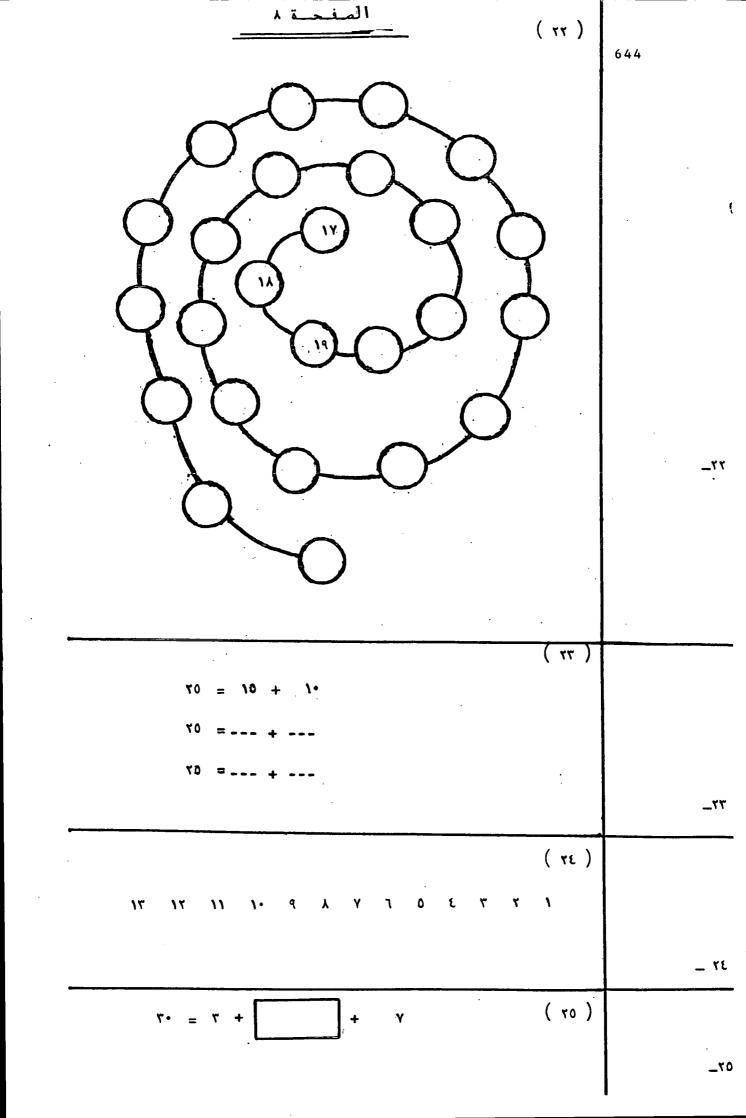


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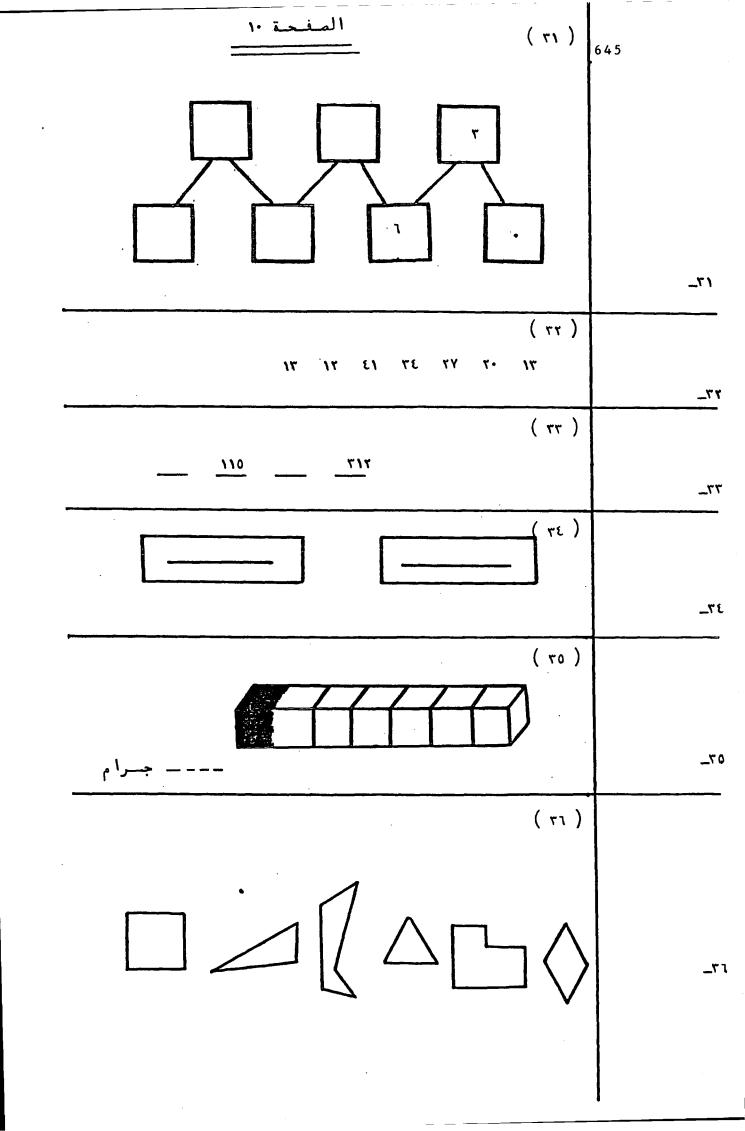


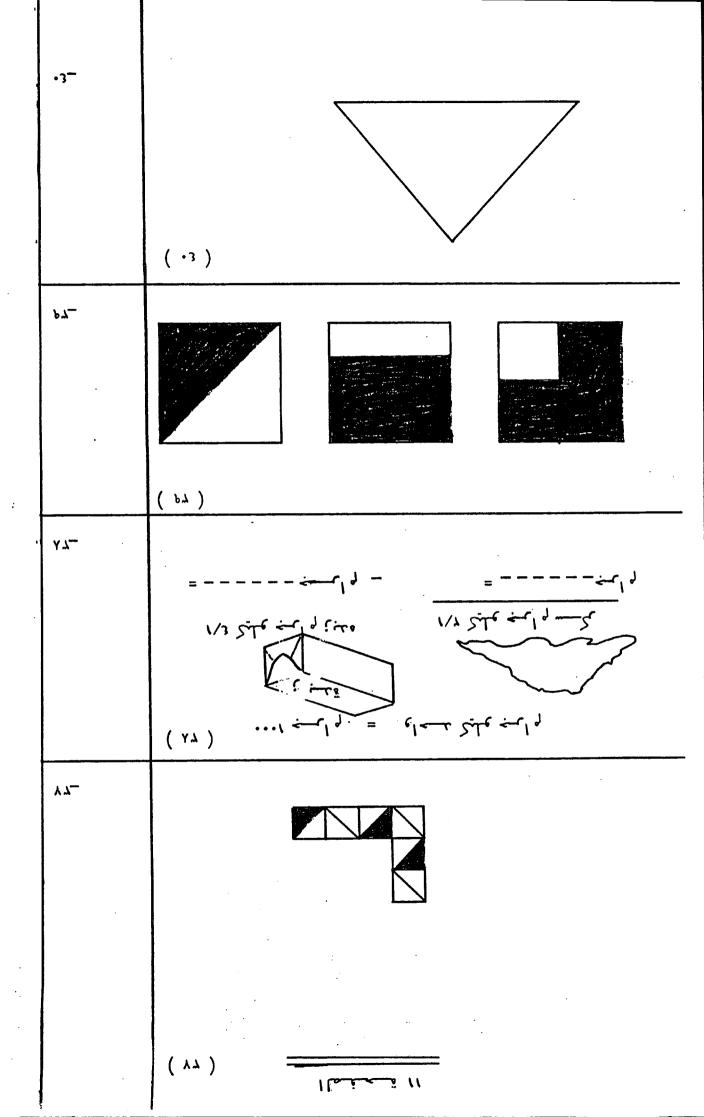
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الصفحة ١٢

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(٤٢)

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<u>(ii)</u>

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(εε)

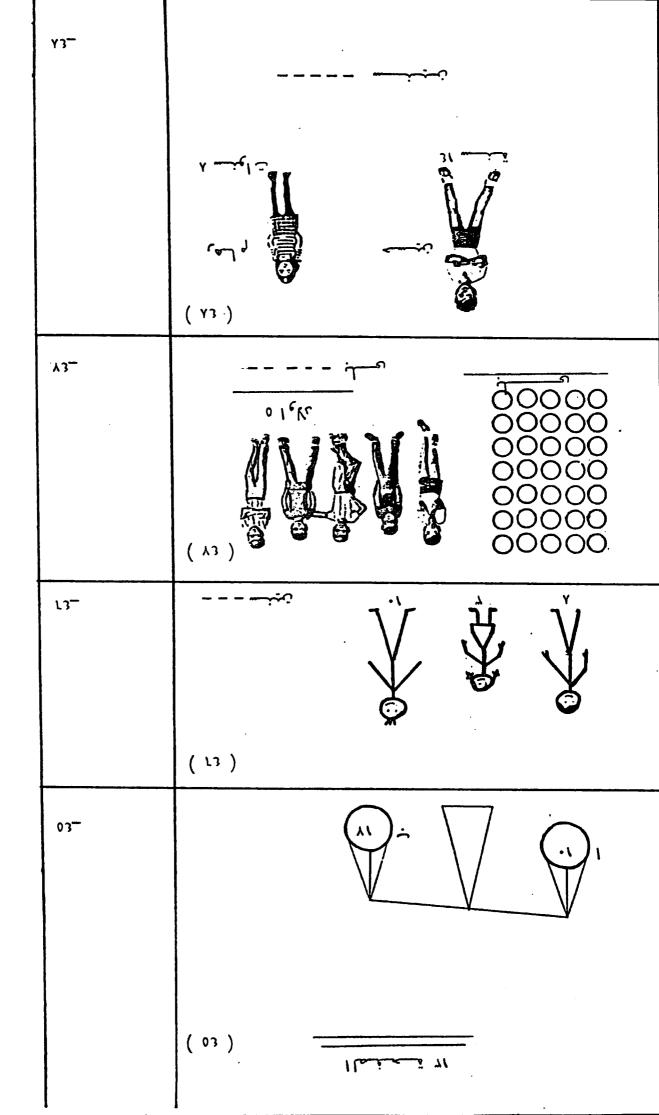
٥ مقسومة على ١٥ _ _ ٣/١ ۳ مقسومة على ۱۲ _ _ _

٨ مقسومة عنى ٧٢ _ _

۲ مـقسـومة على ٤ ـــ ۲/۱

٤٠ مقسـومة على ٤٠ _ _ _ _ ٢٠ مقسـومة على١٠٠ _ _ _ _

_{11



- (۱) ضع علامة صح () تحت الجمل المساوى في الحجم للجمل الذي بداخل الصندوق على البسار ·
- (٢) ضع علامة صح () تحت السكل المماثل تيما ما للسكل الذي بداخل المندوق على المسار ·
- (٣) ضع علامة صح () تحت الصندوق الذي يحتوى على نفس العدد من الكراسي مثل نفس عدد الاطفال في الصندوق الذي على يسارك
 - (٤) هنا صف من الاشكال الشكل المطلل شكل مستطيل من فضلك ظلل الدائرة من هذه ألاشكال •
- (0) ارسم عدد من الاطباق للفناجين حتى يمير عدد اطباق الفناجين .
 الفناجين نفسعدد الفناجين .
 - (1) كم يسمئل هذا الجز "المظلل بالنسبة للشكل ككل؟
 - (٧) ظلل نصفهذه الدائرة ؟ ٠
- (٨) يتوضح هذا الرسم البياني الفواكة المحببة لمجموعة من الأطفال ·
- " يموجد هنا تفاح وكمشري وبرتقال وموز وفراولة " · ما هي الفاكهة التي اختيرت بواسطة اكبر عدد من الاطفال ؟ · هله مناك عدد من الاطفال يحبون الموز اكثر من الفراولة ؟ · ما هما الفاكهتان اللتان اختيرتا بواسطة نفس العدد من الاطفال ؟ · الاطفال ؟ ·
 - (٩) والان يسوجد اما مك صندوق كبير به عدد من الدجاج

والمطلوب منكان ترسم حلقات لتقسمهم الى مجموعات كل مجموعات كل مجموعة مكونة من اربعة ٠

(المجموعة الاولى عملت لك كمشال لتعمل مشاله) •

اكتب العدد المتبقى في الصندوق الفارغ في اليمين .

(١٠) انتظر التي الصور التي اما مك في الصف ٠

ضع علامة صح () تحت الصورة التي تحتوى نفس العدد من العدربات مثل عدد المنازل التي في الصورة الموضحة اما مك •

(١١) امامك صندوق كبير به عدد من الحمير ٠

ارسم حلقاتلتقسيمهم الى مجموعاتكل مجموعة مكونه من ١٠ · ثم اكتب العدد المتبقى في الصندوق الفاضي على يمينك ·

(۱۲) اما مك صندوق به عدد من الارانب •

ارسم حلقات لتقسيمهم الى مجموعات كل مجموعة مكونة من شمانية (٨) ٠

ثم اكتب العدد المتبقى في المندوق الذي على يسمينك •

(١٣) يتوضح هذا الرسم البياني الحبيوانات المحببة لتمجيموعة من عنا ثلات الفلاحيين ٠

يسوجند هنا الدجاج والارانب والاوز والاغنام والحسيس

كم عائلة تفضل اقتنا " الدجاج ؟ •

اى الحبوانات اختيرت بواسطة اقل عدد من الفلاحين ؟ •

هله ناك عدد من عائلت الفلاحين يحبون الارانب اكثر من الحمير؟ • (١٤) عد الاسماك التي اما مك ثم ضع الاجابة في الصندوق الذي

- يمينك او في المكان الفاض الذي على يسمينك •
- (١٥) ضع حلقة حول العدد الاكبر من هذه الاعداد ٠ (اكبر الاعداد)
 - (١٦) ضع حلقة حول اصغير الاعداد •
 - (۱۷) الان ا ما مك تسع صناديق و شمانية من هذه المناديق فارغة و ابدا من الصندوق الذي يحتوي على الرقم ۱۰ بداخله شم اضف العدد الذي فوق السهم الذي يلى ذلك المندوق مباشرة و شم ضع الناتج في المندوق التالي مباشرة شم ابدا ثانية من هذا المندوق و الفالعدد الذي فوق السهم الذي يليه مباشرة شم المناتج في الصندوق التالي مباشرة و شم الناتج في الصندوق التالي مباشرة و في المناتج في المنات المناتج في المناتج في المناتج في المنات المنات المنات المناتج في المناتك المنات
 - كرر هذه العصلية الى ان تنتهى بصلى كل الصنادية •
 - (١٨) الأن اما مك مجموعة من الشياء عد هذه الشياء ثم
 - اكتب الناتيج مشل المشال الموضح اما مك تسماما •
 - (١٩) اما مك فئات من الاسباء · احسب عدد هذه الاسباء ثم اكتب الاجابة مئل المثال الموضح اما مك ·
 - عدد الموز = ٣ × ٣ = ١ او ثلاثة مضروبة في اثنين تساوى سنة ٠
- (۲۰) امامك فاتات من الاسيا ، احسب عدد هذه الاسيا ، بطري قتين على ان تحصل على نتيجة واحدة في كلتا الحالتين ، تماما مثل المثال الموضح امامك (عدد الازهار هو ۱ + 1 = ۲ × ۲ = ۱۲ ،

- (۲۱) امامك شيلات مربعيات كبار ٠
- كل مربع من هذه المربعات الكبار يحتوى عدد من المربعات المطلله والمربعات الصغيرة بداخله وبعض من هذه المربعات اطرح عدد المربعات المظلة من العدد الكلى للمربعات الصغيرة في كلحالة وتصاما مشل المشال الموضح امامك وكمل الحالتين الاخرتين تماما مشل المشال الموضح امامك امامك تماما والمامك تماما والمامك تماما والمامك تماما والمامك المامك تماما والمامك تماما والمامك تماما والمامك تماما والمامك المامك تماما والمامك تمامك ت
 - (٢٢) اكمل سلسلة الاعداد السموضحة اما مك ٠
 - (۳۳) اذا اضيفتعشرة الى خمسة عشر يعطى خمس وعشرون والان اكتب في السطر الاول عددان اخران اذا اضيفتا يعطي خمس وعشرون •
- فكر ايسضا في عددان اخران اذا اضيفتا يعطيان خمس وعشرون اكتب هذان العددان في السطر الثاني
 - (٢٤) العدد ٣٠ يقبل القسمة تماما على العديد من الاعداد ٠ هناك قائمة بالاعداد المامك ٠ ضع دائرة حول العدد المندى يقبل القسمة على ٣٠ بدون باقى ٠
 - (٢٥) في عيملية الجمع التي اما مك ، يوجد احد الاعداد ناقص و الكتب العدد القاقص في الصندوق الذي اما مك في الورقة حتى تجعل الجمع صحيحا و و المدى - (۲۱) يوجد امامك ثلاث طرق ۱ ، ب، ج حسن يريد ان يذهب لـمحطة الاتوبـيس٠

ما هى الطرق التى يمكن ان توصلحسن لمحطة الاتوبيس ؟ اى من هذه الطرق يسمكن ان ياخذه حسن ليمل فى اقل وقت ممكن ؟ •

ما هو اقتصر الطرق للوصول الى محطة الاتبوبيس؟ •

(۲۲) هناك عدد ناقص في عدملية الضرب التي امامك ٠

اكتب العدد الناقص في المندوق الذي اما مك لتجعل العملية محيحة •

- (٢٨) يوجد امامك سلسلة من الاعداد حاول المحافظة على نفس النمط الذي في المثال الذي امامك ، ثم اكتب العدد التالي الذي يبجب ان يوضع في الصندوق الفارغ الذي امامك •
- (۲۹) احد الاشارات" + ، _ ، × ، نه " (اكتبهذه الاشارات على السبورة) ناقصة و الكتب الاشارة الناقصة في الصندوق الذي امامك صحيحة و المامك صح
- (۳۰) امامك مجموعة من الاعداد ، احد هذه الاعداد فقط يحمكن ان يعقب القسمة تعماما بدون باقى على نفسه وعلى واحد ٠ ما هو هذا العدد ؟

ارسم حليقة حول هذا العدد الذي يتقبل القسمة فيقط علم، نفسه وعلى واحد ·

(٣١) انتظر جيدا للاعداد الموضوعة في المربعات التي اما مك ، ثم حاول ان تكمل بيقية المربعات بنفس النمط

- الموجود في الاعداد الاولى .
- (٣٢) ضع حلقات حبول هذه الاعبداد التي لا يسمكن ان توخذ مين ٢٧ ٠
- (٣٣) امامك عددان ، كل واحد منهم يليه سطر فارغ · في كل سطر فارغ ، ضع العدد الذي ياتي مباشرة بعدد العدد الموجود امامك ·
 - (۳٤) اما مك سندوقان صغيران ٠
 - (١) في الصندوق الاول ، اكتب العدد الذي يقدل ٥ عدن ١١٠
 - (۲) في السندوق الثاني ، اكتب العدد الذي يكبر بسمقدار ١ عين ٩ ٠
 - (٣٥) المكعب المظلل الذي اما مك يعزن ١٠٠ جرام ٠
 - ما هو الوزن الكلى لهذه المكعبات التي امامك ٠
- (٣٦) اما مك مجموعة من الاشكال · ضع علامة تحت الثلاث اشكال التي يسمكن ان تنقسم تماما الى نصفين متساويين تماما في الشكل والحجم ·
 - (٣٧) كم يمسل من الكسر الجزء المظلل في الشكل الذي المامك؟
 - (۳۸) کے جرام یے بوجہ فی نے نے کیلوجہ ام سکر ؟ کے جرام یے بوجہ فی رہے کیلو زیدہ ؟ ۰
 - (٣٩) انتظر الى الثلاث مربعات التي اما مك ٠
 - يسوجيد في هذه المسربعيات، ببعيض الاجتزاء المنظللة •

- ضع عبلا منة () تبحيت المربيع الذي ظلل نصفه تبما ما ٠
 - (٤٠) في السكل الذي اما مك ، ارسم مستقيم في
- السوضع الذى يظهر تقسيم الشكل الى جزئين متساويين .
- (٤١) هناك تسابه بطريقة ما في اربع اعبداد من الاعبداد
 - الموجبودة امامك ضع حلقة حول العدد المخالف عن
 - مده الاعسداد ٠
 - (٤٢) ظلل ربع هذا الشكل؟
 - (٤٣) يـوجـد امـامـكعـديد مـن المســــطـيلات، داخـل كل واحـد سوحـد عـددان •
 - في كلحالة ارسم دائرة حبول العبدد الاكبر .
 - الحاليه الاولى عيميلت لك كمشال ٠
 - (٤٤) املا الاماكن التي بالجدول ٠
 - الحالتان الاولتان عملها لك كمشال تتبعه •
 - (٤٥) يسوجد اصامك مبيزان في الجانب الأول (١) يسوجد ١٠
 - ١٠ بليات، كما يتوجد في الجانب الاختر (ب) ١٧ بلية ٠
- مع الخنذ في الاعتبار أن كل البلي منساوي في النوزن •
- كم من البلي يسمكن ان نسيف للجانب (١) حتى يكون الميزان
 - متوازن تسماما اى متعادل تسماما ؟ ٠
 - (٤٦) يسوجد اما مك ثلاث اطفال مسوضح اعسمارهم ٠

ما هـو الـفر ق في العـمـــر بين اكبر الأطفال واصغر الأطفال؟ •

(٤٧) وزع ٣٥ بىلىيىة بالتسماوى بىيىن خىمىس اولاد ٠

كم بلي ـــة يـمكن ان ياخـنما كل ولد ؟ ٠

(٤٨) عـمــر حسين الان ١٤ سنة ٠

كما ان عسمسسر رهام الان ٨ سنوات٠

عندما يكسون عمسر حسين ٢٣ سنة ، كم يكون عمسر

ر هام عندئند ؟ ٠

" ٢٣ سينة يسمكن ان تكتبعلى السبورة " •

(٤٩) في محفظتك يوجد ٢٠ قطعة كل قطعة تسمثل ٥ قبروش٠

اشتریت کرة به ۳۱ قرش ۰

كم قرشا يبقى معك بعد ذلك؟ •

(٥٠) امامك فئات من النقط ٠

ارسم فئة النقط التالية ثم اكتب العدد تحت الخط الذي المامك .

(٥١) هنا ايضا يسوجد فئاتمن النقط ٠

ارسم فئة النقط التالية ثم اكتب العدد تحت الخط الذي

(٥٢) يسوجد اما مك ثبلاث قبطط موضحة اعتمارهم ٠

ما هـو الفرق في العمـر بين اكبر القطط

وا صغر القطط ؟ •

ما عسر القطة التي بين اكبر القطط واصغر القطط ؟ •

ما هــــو مـجموع اعمار الثلاث قطط ؟ •

BASIC MATHEMATICAL SKILL TEST

Z.A.A.G. KHALID

SCHOOL'S NAME

CHILD'S NAME

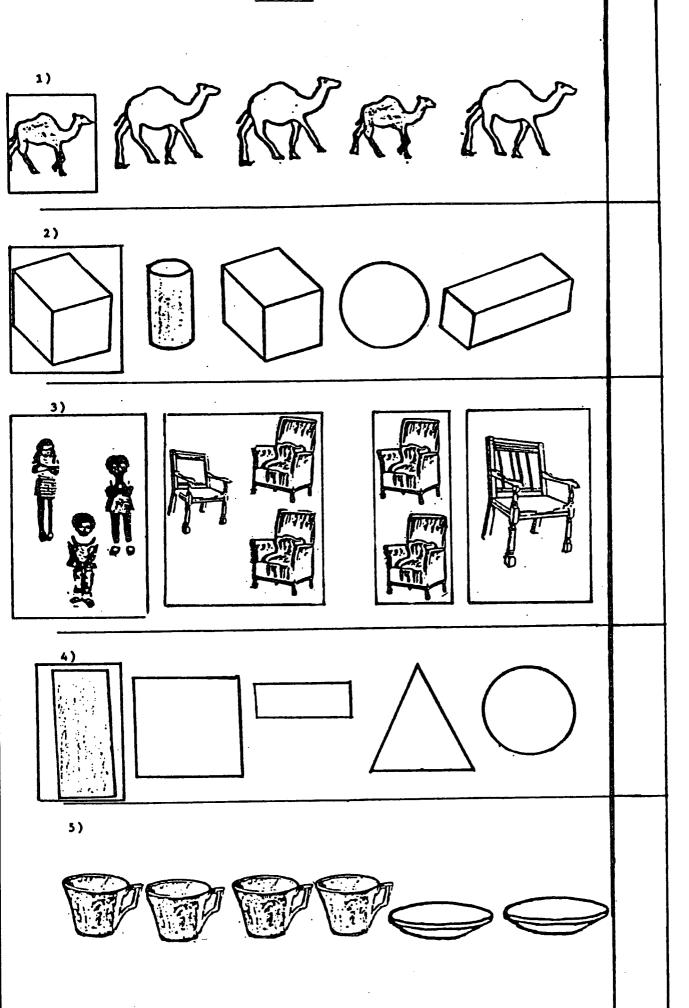
DATE COMPLETED

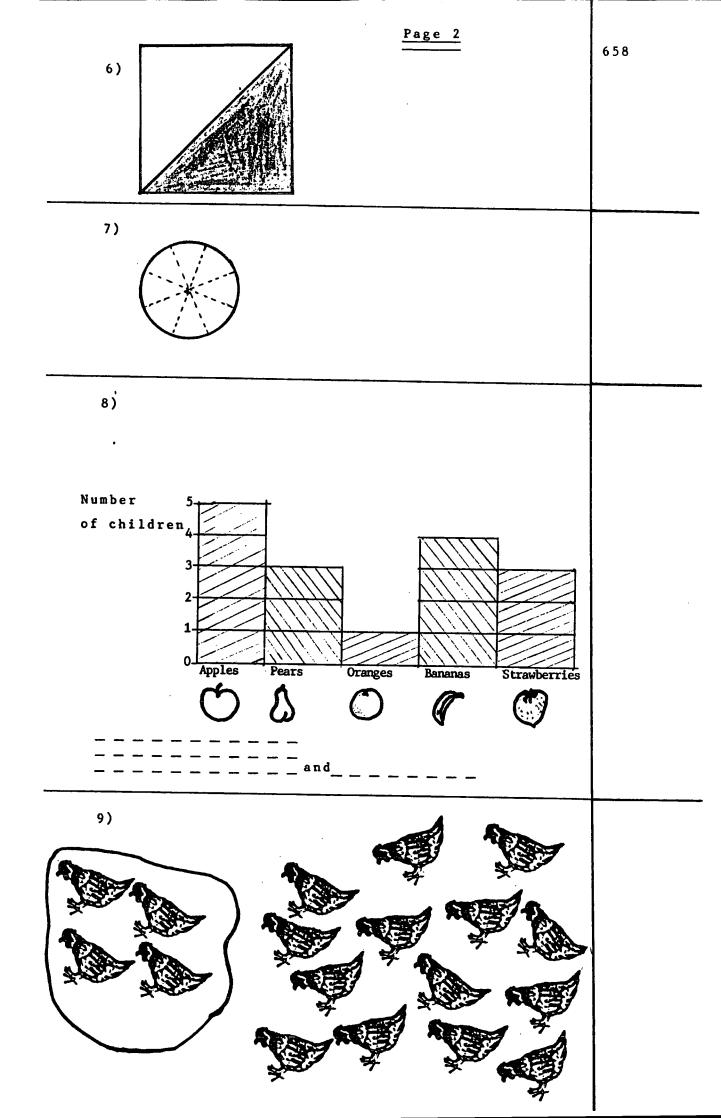
DATE of BIRTH

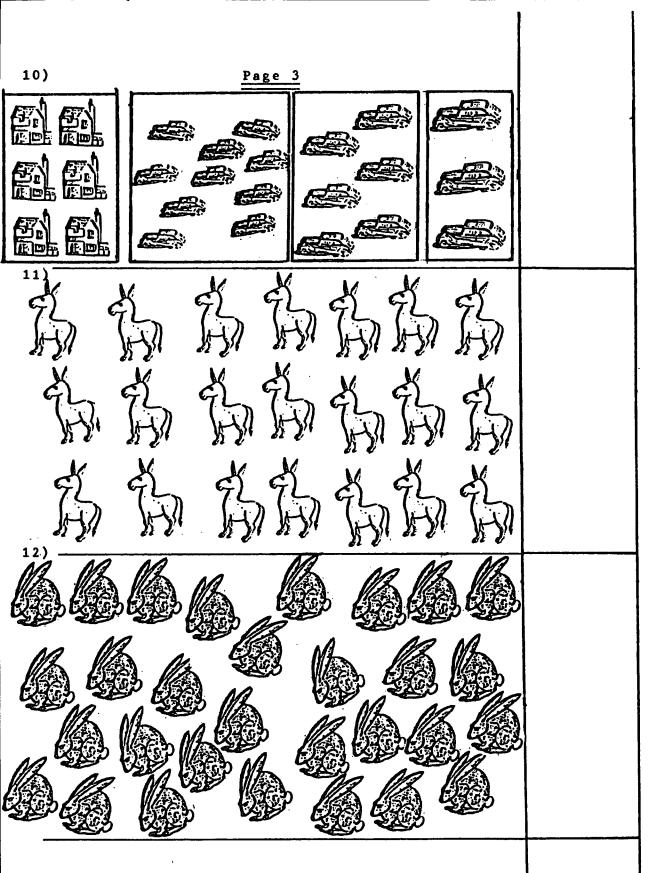
AGE

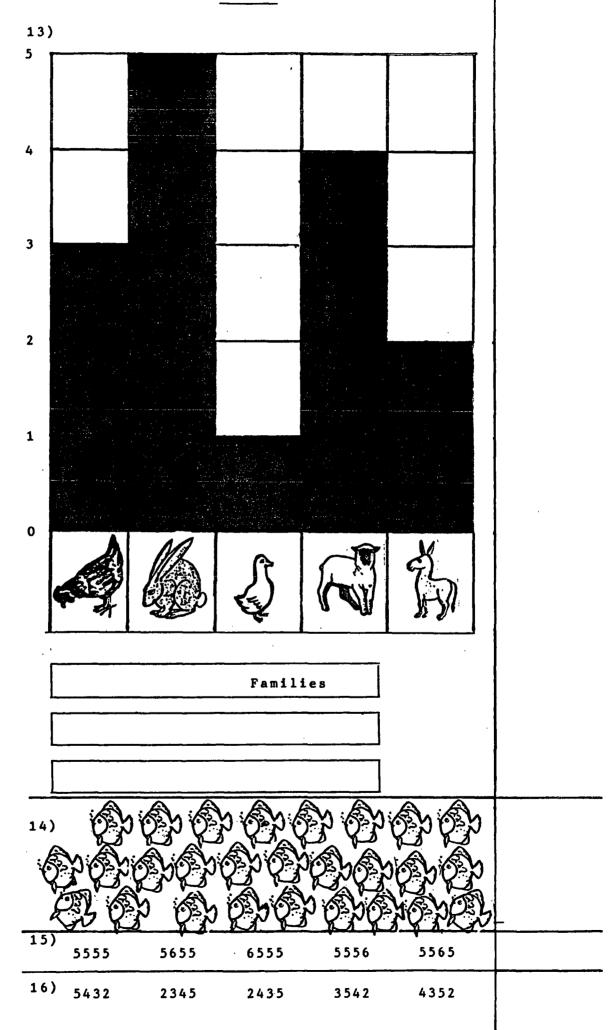
SEX

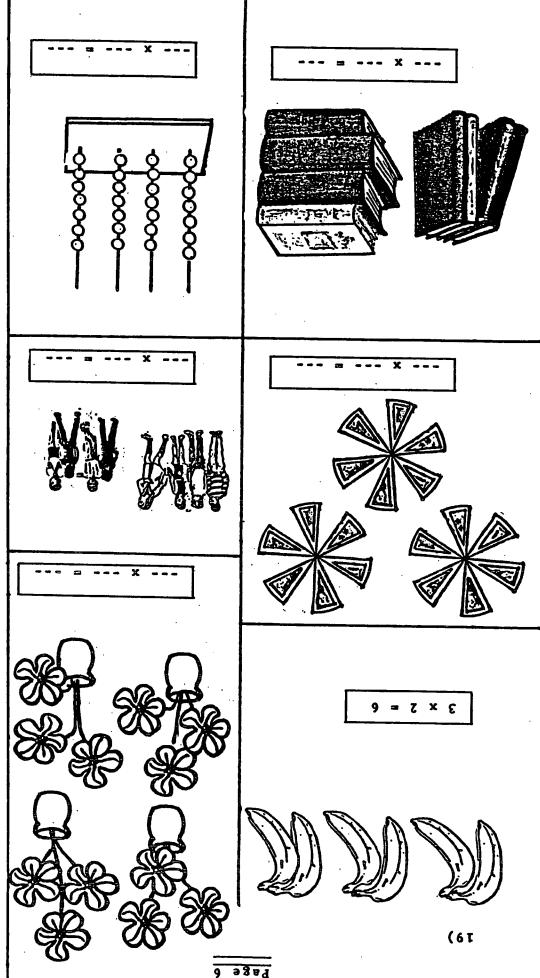
AGE 7 - 9

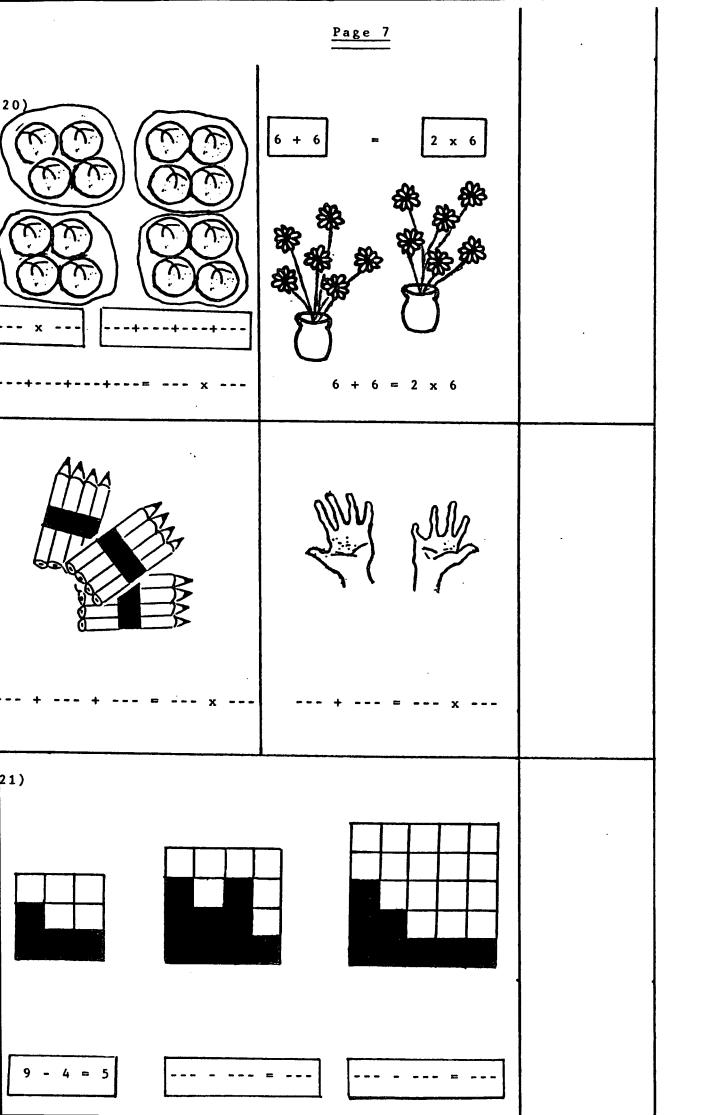








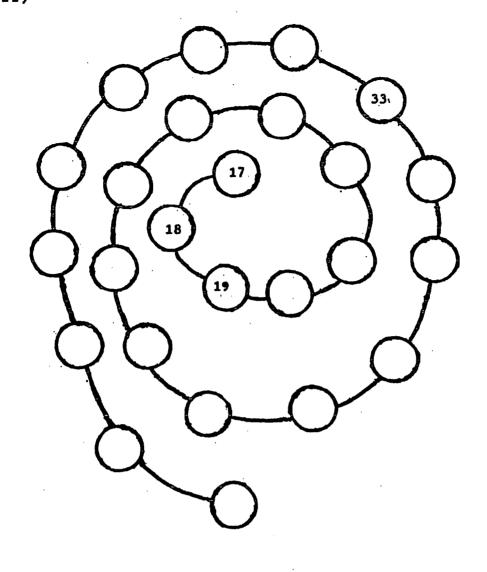






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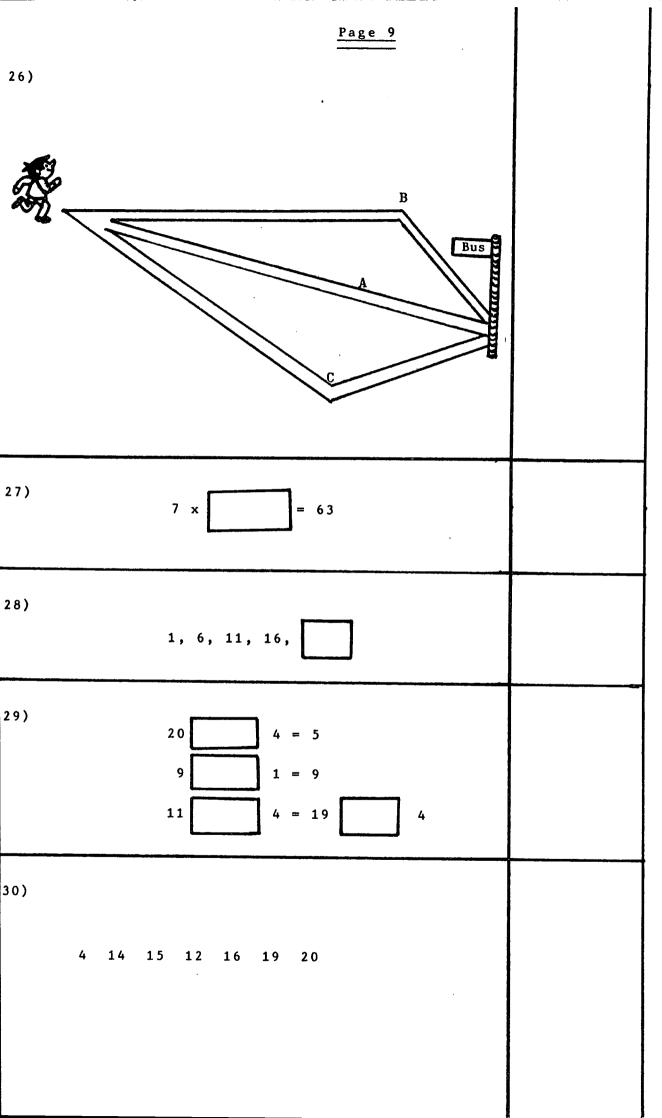
10 + 15 = 25

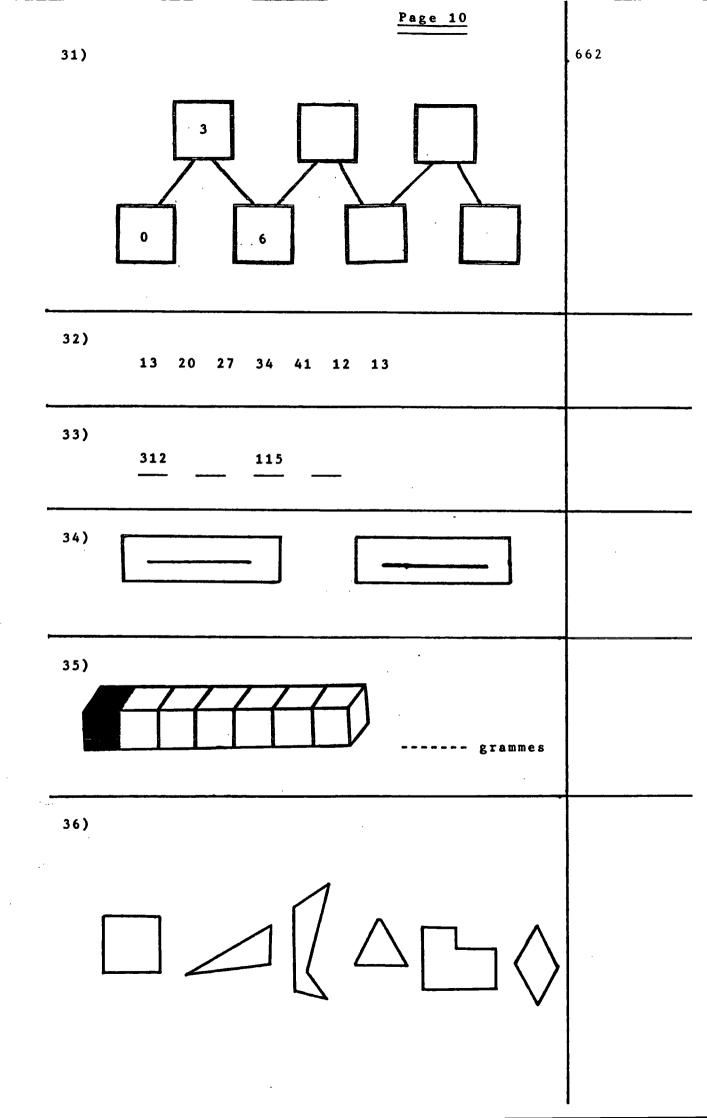
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24)

1 2 3 4 5 6 7 8 9 10 11 12 13





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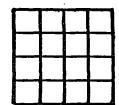
40)

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41)

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42)



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22 21

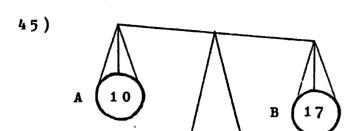
25 15

26 27

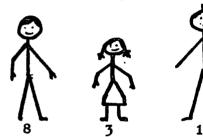
24 14

44)

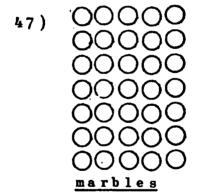
	Fraction
2 out of 4	1/2
5 out of 15	1/3
3 out of 12	
8 out of 72	
40 out of 40	
20 out of 100	



46)



____ years



S Nove

__marbles

48)



John 14 years old

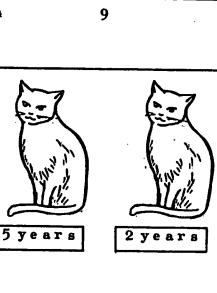


Betty

8 years old

____yearsold

Page 14 49) 31 p 50) 1 3 6 51) 1



years

years

years

52)

years

APPENDIX (LVIII)

FORM OF THE INSTRUCTIONS FOR THE ENGLISH TEST 1 (AGE 7 TO 9)

- (1) Put a tick under the camel which is equal in size to the camel in the box on the left.
- (2) Put a tick under the shape which is the same as the shape in the box on the left.
- (3) Put a large tick, under the box which has the same number of chairs in it as there are children in the first box.
- (4) Here is a row of shapes. The first, which is shaded, is a rectangle.

You shade in a circle, please.

- (5) Draw more saucers until there are as many saucers altogether as there are cups.
- (6) What fraction of this shape is shaded?.
- (7) Shade in one half of the circle.
- (8) This graph shows the favourite fruits of a group of children.

"There are apples, pears, oranges, bananas, and strawberries".

Which is chosen by the largest number of children?.

How many more children like bananas than strawberries?.

Which two fruits are chosen by the same number of children?.

(9) Now we have chickens in a large box.

I want you to draw rings to put them into groups of four.

The first group is done for you.

Write the number you have left over in the empty box on the right.

- (10) Look at the pictures in the row. Put a large tick under the picture that has as many cars in it as there are houses in the first picture in the row.
- (11) We have a large box with donkeys in it.

Draw rings to put them into groups of 10, and write the number of those left over in the empty box at the end.

(12) This box has rabbits.

Draw rings to put them into groups of 8 and write the number of those left over in the small box at the

end.

(13) This graph shows the favourite animals of groups of farmer's families.

There are chickens, rabbits, geese, sheep, and donkeys.

How many farmer's families have chickens as favourites?.

Which one is chosen by the smallest number of farmer's families?.

How many more family like rabbits than donkeys?.

- (14) Count the number of fishes and put the answer in the empty box on the right.
- (15) Put a ring round the biggest of these numbers.
- (16) Draw a ring round the smallest of these numbers.
- (17) Now you have nine boxes. Eight of them are empty. Start from the box which has number 10 in it and then add the number over the following arrow. Then put the sum in the next box and start from that box, adding the number over the next arrow and put the sum on the following box.

Do this until you finish all boxes.

- (18) Now you have groups of objects. Count these objects and write down the sum in the same way as the first, which is done for you.
- (19) You have sets of objects. Calculate the number of objects and write down the answers.

The first set is done for you (the number of bananas are $3 \times 2 = 6$ or three multiplied by two equals six).

- (20) You have sets of objects. Calculate the number of objects in two ways, both having the same answers. One of sets is done for you (The number of flowers are $6 + 6 = 2 \times 6 = 12$).
- (21) You have on your paper three big squares. Each one has small squares in it.

Some of these squares are shaded.

Subtract the shaded squares from the total number of small squares in each case.

The first one is done for you. Complete the other two in the same way.

- (22) Complete the missing numbers in this series.
- (23) Ten and fifteen add up to twenty five.

Write down on the first line given two other numbers which add up to twenty five.

Now you think of two more numbers which add up to twenty five.

Write those on the second line.

(24) 30 is a number that can be divided exactly by several numbers.

There is a list of numbers on your paper.

"Draw circles round those which divided exactly into 30".

- (25) One of the number is missing from this sum. Write the missing number in the box to make the sum right.
- (26) On your paper there are three roads, A, B, and C. Peter wishes to go to the Bus Station.

 Which of these roads leads to the Bus Station.

 Which way can he go to take the shortest time.

 Which of these is the shortest distance.
- (27) There is a missing number in this sum.

 Write the missing number in the box to make the multiplication right.
- (28) There are a series of numbers. If we keep to the same pattern, which is the next number to put it in the empty box.

- (29) One of the signs "+, -, x, /" (Write these on the board) is missing from this sum. Write the missing sign in the box to make the sum right.
- (30) One of these numbers can only be divided exactly by itself and by one. Which is it?.

 Draw a circle round it.
- (31) Put the right number in the empty box.
- (32) Draw circles round those numbers which cannot be taken away from 27.
- (33) Two numbers each with a line after it. On each line write the number which comes after the one that is there.
- (34) Two small boxes. In the first write the number which is 5 less than 11.

In the other write the number which is 6 more than 9.

- (35) The shaded end of this block weight 100 grams. How much does the whole block weight ?.
- (36) Here are some shapes. Put crosses in the three shapes which could be cut in half so that both halves are exactly the same size and shape.

- (37) What fraction of this shape is shaded?.
- (38) How many grams are there in half a kilogram of sugar?.

How many grams are there in a quarter kilogram of butter?.

- (39) Look at the three squares. All have some part shaded. Put a large tick in the one having exactly a half shaded.
- (40) In the shape draw a line to show where you would cut it to make it into halves.
- (41) Four of these numbers are alike in some way. Draw a ring round the number that is different from all the rest.
- (42) Shade one quarter of this shape.
- (43) You have in your paper two numbers inside each box. In each case draw a circle round the bigger number.

The first one has been done for you as an example?.

(44) Fill in the spaces in the table.

The first two have been done for you.

(45) Here is a balance. On side A there are 10 marbles and on side B there are 17.

All the marbles are the same weight.

How many marbles must we add to side A to make the sides balance exactly?.

- (46) Here are 3 children with their ages. What is the difference in age between the oldest and youngest?.
- (47) Share the 35 marbles equally among the 5 boys. How many marbles would each boy get?.
- (48) John is 14 years old now, and Betty is 8. When John is 23 years old, how old will Betty be?.

 "23 years old can be written on the board".
- (49) You have twenty 5p coins in your purse. You buy a ball costing 31p.

How much money have you left?.

(50) Here are sets of dots.

Draw the next set and write the number below the line.

(51) Here are sets of dots.

Draw the next set and write the number below the

line.

(52) Here are three cats with their ages.

What is the difference in age between the oldest and youngest?.

How old is the cat between the eldest and the youngest?.

What is the total age of the three cats?.

اختبار مهارات الرياضيات عدم ٩ - ١١ سنة زينب احمد عبد الغنى خالد

اســـم الـمدرســة :ـ

اســم التلميذ:

تاريخ الخنبار:

تاريـخ ميلاد التلميذ :

العمالية

درجة التلميد في مادة الحساب

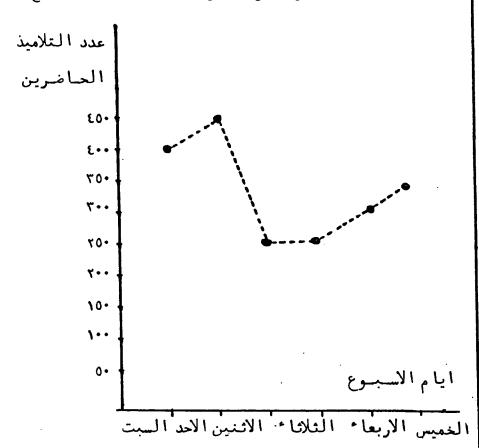
لنصف السنة الدراسسية :

الصفحة الاولى ١

(١) يوضح الشكل البياني التالي عدد الاطفال

الحاضرين في المدرسة في كليوم من ايام الاسبوع ، انظر الي الشكل الاتي واجبعن الاسئلة الاتية :

عدد التلاميذ الحاضرين في المدرسة خلال احد الاسابيع

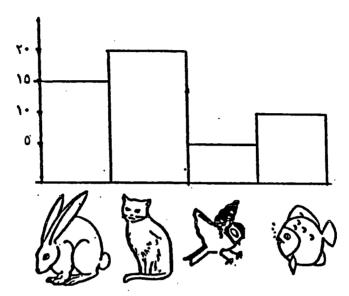


ما هو اليوم الذي كان عدد الحاضرين فيه اكبر ما يمكن؟
ما هواليوم الذي كان عدد الحاضرين فيه اقل من آي يوم
اخسر ؟

كم كان عدد الاطفال الحاضرين يوم السبت؟

اذكر عدد الحاضرين يوم الاثنين ؟

ر ۲) یوضح الشکل البیانی النّالی عدد التلامیذ فی فصّل مدرسی الذیب یربون فی منازلهم الارانباو القطط او العصافیر او السمك بحیث كل تلمید یبربی نوع واحد فقط ۰

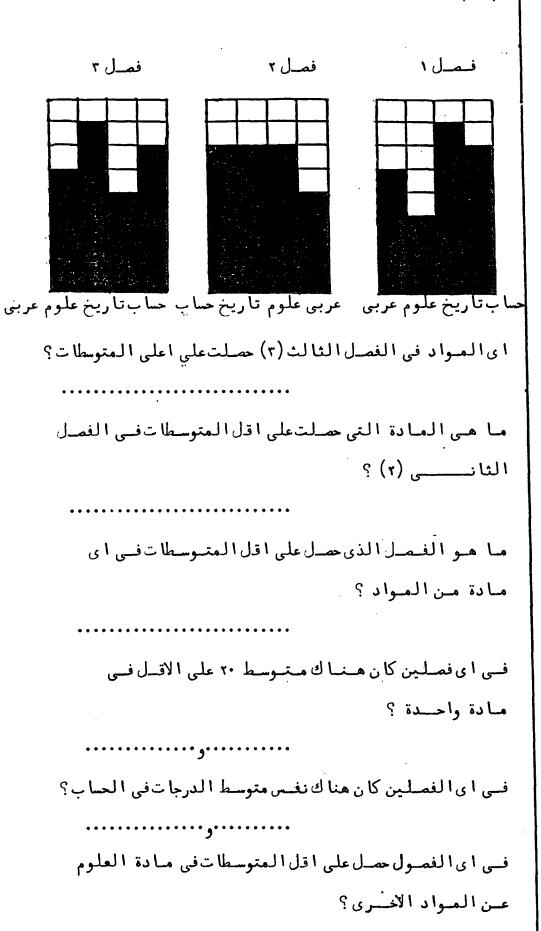


ما هـ والطير او الحيوان الذي يربيه اكبر عدد من التلاميد ؟

هل عدد التلاميذ الذين يربون القسطط اكبر من عدد التلاميذ الذين يربون العسمافير ؟

ما هـو الحيوان او الطير الذي يربيه عدد خـمس تلاميذ فـقـط ؟

رم) تسوضح الاسكال البيانية التالية متوسطات درجات تلاميذ ثلاث فسول مدرسية في كل مادة انظر الى الاشكال التي اما مك ثم اجب الاستئلة التاليسة .



رسمت خريطة بمقياس رسم ١ سنتيمتر لكل ٢٠ كيلو متر على الجقيقة ٠

اوجد المسافة الحقيقية بين مكانين التي يمثلها على الخريطة مستقيم طوله ٢/٧ سنتمتر ؟

٠٠٠٠٠٠٠٠٠٠٠ كيلو متر

طــول حــسن ۱۲۰ سـنتيمتر ، وطــول والده ۱۸۰

سنتمترا ٠

فما نسبة طول حسن الى طول والده ؟

طول طول حسن والده





الصفحة الخامسة (٥)

(1)

يوضح الجدول الاتبى كيفسا من يقضى يوما من ايام اجازته ·

۱۰ ۲ ۲/۳ ۳ ۳ ۴ ۲/۱ ساعة ساعة ساعات ساعة ساعات ساعات ساعات ساعات ساعات ساعة ساعات ساعة ساعة لعب سباحة اكل قراءة نوم التليفزيون

ما هو نسبة ما قضى معا في النوم والقراءة بالنسبة الى ٢٤ ساعة ؟

ما هو نسبة ما قضى في السباحة واللعب

معا بالنسبة الى ٢٤ ساعة ؟

ما هو نسسبة ما قصى فى مشاهدة التلفزيون بالنسبة الى ٢٤ ساعة ؟

•••••

ما هو نسبة ما قبضى في اللبس والأكل والنوم معا بالنسبة الى ٢٤ ساعة ؟

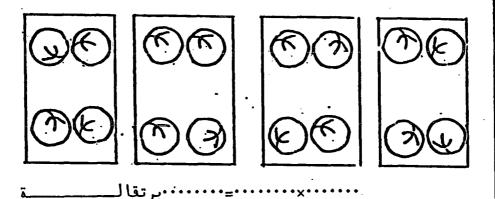
••••••

المفحة السايسة (١)

(Y)

يسوجد اربع برتقالات في كل صندوق من الصناديسة المرسومة المامك ما هو عدد البرتقال الموجود في كل المناديق التي المامك ؟

اكتب الاجابة مسلك في السلم المنقط .



ر ۸) ضع ای عددین بحیث یکون نا تیج قسمتهما ۳ ؟

٣ = ÷

(٩) ضع العدد الناقي لكي تجعل عملية الجمع

التالية محيحة ؟

7 1

1 4

+

Y 7

(١١) مع الما<u>ه حق السابعة</u> (٧) خسم ا ك عددين بحيث يكون ناتج طرحهما ٥٠؟

--- --- ---

(۱۱) خسع ای عددین بحیث یکون تا تست خدوبهما ۵۰ ؟

..... × = .(

(71)

sing telt eellkault lligeris iend oni ornogas

lkault llongerets londonbiers llegerin ?

17 73 7 0 Y PA AI YA 77 71

(31)

هماهي نوي العملية التالية هي العمليات الاربع

الاساسية ?

خواحة او دائرة حوا الاجابة المحيحة من الاجابات التالية .

(۱۵) الصفحة الثامنة (۸)	l
ما هي نوع العملية التالية من العمليات الاربع الاساسية ؟	
ضع حلقة او دائرة حول الإجابة الصحيحة من الإجابات التالية ؟	
દ ્ય	
o	
720	
جــمـع طـرح ضـرب قـــــمــة	
OO = 77 +	
ما هو العدد الناقص الذي يجب وضعه بدلا من	
فى عدملية الجدمع السابيقية ؟	
•••••••••	
(14)	
YY = I + YY	
ما هو العدد الناقص الذي يبجب وضعه بدلا من ا في عدملية	
الجمسع السابيقة ؟	
•••••••	
() \	
/\ = /0 \ \ \ '*	
ما هي الاجابة الصحيحة لعملية القسمة النالية ؟	
····· = 1x ÷ 7Y•	

('.x') $lid_{\mathbf{L}}[l_{\omega}][l_$

γ × 0/ = ·····

 $7 \times 0/ = \cdot 7$

(17) $_{33} \times _{Y7} = _{A771}$ — we in the standard land of the standard land of the standard standard land of the standard stan

? قيالنااب ا

·33 × Y7 = ······

363 × Y7 =

(77)

۲۲ مضروبة في ۲۱ تـساوي ۱۲۲۰

37x 17 = 375

ما هو ناتيج قسيمة ١٢٤ عيلي ٢٤ ؟

****** = 78 : 778

(77)

هناك عدد ناقص فى كل عملية من العمليات التالية · اكتب الاعداد الناقصة فى المكان الخالى حتى تجعل العملية صحيحة ؟

····· + \ = + 9

17. × · · · × 17

٤ = ... x ٨

··· + \ = \ \ \ - \ \ \ \

7.....

۲ ۰۰۰۰۰ ۱

.....

1 Y Y

... 7 7

9 4 8

الصفحة العادية عشر (١١) ______

مرسوم امامك اربع علب اقلام الوان٠

يسوجد عسر اقلام في كل علمة .

اذا اعطيت بعض هذه الاقلام الي ٣١ طفل

بحيث كلطفل اعطى قلما واحدا









۲۱ طيفيل

كم قلم يبقى من هذه الاقلام ؟

••••••

(07)

الجدول التالى يعطى تاريخ الميلاد لخمس المغال:

السنة	الشهر	اليوم	
1907	مارس	14	احتمد
7091	يناير	77	حــــــن
7091	يونيو	10	ـــا مـی
1904	اغ <u>ـــ</u> طس	17	را مــــــى
1900	فبراير	77	٣

من هنو اكبر الاطفال؟

من هـ و اصغر الاطفال؟

(77)

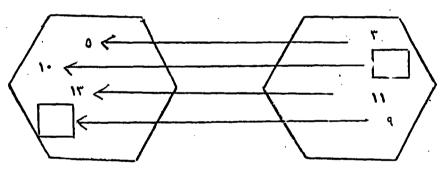
المفيحة الثانية عشر (١٢)

رتب هذه الاعداد ، مبتدئا من الاصغر فالكبر .

79 71 73 37 P7 17 VY

(٢٧) كل عدد في الفئة الم علاقة طبقا لقاعدة ما بعدد في الفئة ب٠

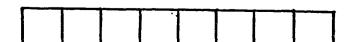
اكمل الاعداد الناقصة في المربعات الخالية امامك؟ الفئة ا



- (٢٨) اكمل الاعداد الناقصة في سلسلات الاعداد الاتية :
- 77 6 6 78 6 7. 6.... 6 17 6 A 6 E (A)
- E1 6 E. 6 71 6 T. 6 6 T. 6 11 6 1. 6 1 (-)

(49)

- رتب الكسور التالية مبتدئا بالاقل ثم الاكبر وهكذا ٠
- ضع الكسور بعد ترتيبها في الاماكن الخالية التالية ٠ ٨/١ ١/١ ١/١ ١/١ ١/١ ١/١ ١/١ ١/١



انظر اما مكجيدا سوف تجد في كل عدملية من العمليات

الاتية · احد الاشارات (+ ، - ، / ، ×) ناقصة ·

اكتب الاشارات الناقصة في المناديق الخالية التي ا ما مك لكي

تجعل العمليات صعيحة

العملية الاولى عملت لك كنموذج يساعدك في حل العمليات الاخرى ٠

- $\xi \gamma = \gamma \times \gamma$
- 3 + 7 = 71
- 3 + [] [
- $\Gamma + 3 = 7 \qquad \square \quad 0$
- 7 = 0/ T.

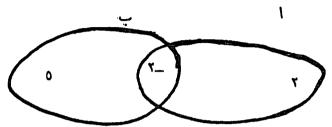
(17)

لاحظ العلاقات الموجوده اما ملك والتي سوف تساعدك على وضع الاعداد الناقصة فيما بعد .

ضع الاعداد الناقصة في المكان الخالي ؟

الفئية ا تحبيوى على كل الاعداد التي تقبل القسمة على ٢ بدون باق ٠

الفئة بتحتوى على كل الاعداد التي تقبل القسمة على ٥ بدون باق ٠



بعض الاعداد وضعت الما مك في الشكل السابق منضع الاعداد عن المناسبة في الشكل السابق ؟ من من من الشكل السابق ؟

(77)

امامك اربع جمل ، واحده منهم ليستصحيحة •ضع خط تحتهده الجملة الغير صحيحة والتي ليس لها معنى ؟

عدد اکبر من ۹ + ٤ واقل من ۹ × ۰ ۲

عدد اکبر من ۳ + ۳ واقل من ۲ × ۳۰

عدد اکبر من ۸ _ ٤ واقل من ۸ + ٠٤

عـدد اكبر مـن ٢٥ / ٥ واقل مـن ٣ + ٥٠

(48)

1.0

17 73

هناك تشابه في الاعداد الثلاثة السابقة · ضع خطا تحت الطرق التي تتشابه به الثلاث اعداد السابقة؟ الثلاث اعداد السابقة يمكن ان ينقسموا تماما على ٣ ، ٧ بدون باق ٠

ر (۱۵)	عش	مسة	الخا	سفحة	الم
--------	----	-----	------	------	-----

الثلاث اعداد السابقة يمكن ان ينقسموا تماما على ١٣ بدون باق ٠

الثلاث اعداد السابقة فردية

الثلاث اعداد السابقة يمكن ان ينقسموا تماما على

۸ ه ۹ بدون باق ۰

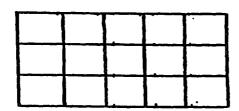
الثلاث اعداد السابقة يمكن ان ينقسموا تماما على ٢١ بدون باق ٠

(٣٥) هناك علاقة ما بين الأعداد التي في الصف العلوى والاعداد التي في الصف الثاني بطريقة ما ١٠ كمل الاعداد الناقمة فيما يلي :

1.	١٨	٤	77			78	
. 0	q ,		iλ	-14	٤		٠٤٠

(77)

ظلل ثلث هذا المستطيل؟



(77)

اوجد طول الحبل الذي يلف حول قطعة ارض على هدكل مستطيل بعداه ١٠ مترا ؟

_ ۱۰ مترا	
	1
İ	1.

۳۰ مترا

....مترا

(44)

س = ۲۰

ص= كل الاعداد المحيحة بين ١٠٠٥

والان عليك ان توجيد قيامة س × س

ارسم حلقة حول العدد الوحيد والذى يتحتمل ان يكون

هو الوحيد الاجابة الصحيحة من الاعداد التالية ؟

07 ••1 73 30 9•7

(44)

سيعيني كل الاعداد الصحيحة •

١ - المطلوب منك اينجاد قيمة ١٥ + س

ارسم حلقات حول العددان الوحيدان اللذان لا يمكن ان يكونا

الإجابة المحيحة ؟

71 31 PP 70 74 3P

۲ المطلوب منك ايسجاد قسمة ۱۳ _ ص٠

ارسم حلقات حول العددان الوحيدان اللذان لا يمكن ان

يكونا الاجابة المحيحة .

77 77 41 00 44 74

الصفحة السابعة عشر (١٧)
(٤.)
طارتطائرة ١٣ ساعة بسرعة قدرها ٣٨٥ كيلومترا
فى الساعة فقطعت مسافة ما ٠
فى كم ساعدة تقطع الطائرة هذه المسافة
اذا طارت بسرعة ٤٥٥ كيلو منرا في الساعة ؟
(11)
احسم تاجیر احدیة عسنده ۱۰و۷۵۲ جسنیها اشتری
احذية سعر الواحد ٥ جنيهات، وبقى معه ٢١٠
قرسا کم حذاء اشتراه ؟
•••••••
(73)
سامي فاكمهي اشتري ١٣٢٥ كيلو جبراميا مين العنب
بىسىعىر الكيلو جىرام ٦ قروش، تلف منها ٢٥ كيلوجرا ما
وباع الباقي فوجد انه كسب ٤٥٠ قرشا
بكم باع الكيلو جرام الواحد ؟
•••••
••••••
••••••

BASIC MATHEMATICAL SKILL TEST

Z.A.A.G. KHALID

SCHOOL'S NAME

CHILD'S NAME

DATE COMPLETED

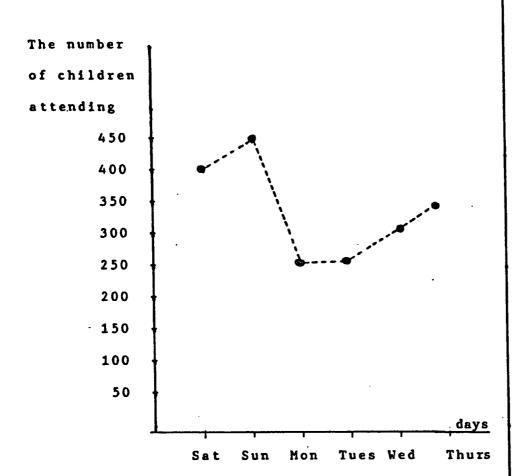
DATE of BIRTH

AGE

SEX

AGE 9-11

1) This graph shows children's attendance at school for each day in one week.



Which day had the highest attendance for the week?

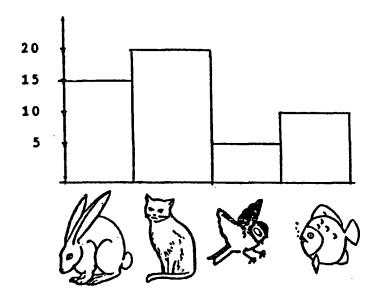
Which day had the lowest attendance for the week?

How many children attended on Saturday?

How many children attended on Monday?

page 2

2) This graph shows the number of children in a class who own a rabbit, a cat, a bird, or a fish. Every child owns one pet.



Which pet is most popular?

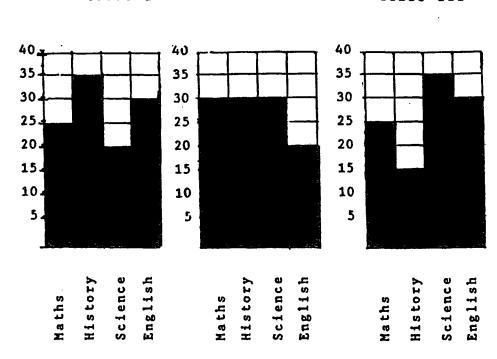
Do more children own cats than birds?

Which pet is owned by only 5 children?

These are graphs of children's scores, showing the average scores of children on each subject for three classes. Look at the graphs and then answer the questions. Class I

Class II

Class III



In class III which subject had the highest average?

In class II which subject had the lowest average score?

Which class had the lowest average score for any subject?

In which two classes was there an average of 20 in at least one subject?

p	a	g	е	4
	_	_	_	

Which two classes had the same average scores in Maths?

					and					
 _	_	_	_	 		_	<u></u>	 	 	

Which class had a lower average score in science than in any other subject?

A map has a scale of 20 kilometres to 1 centimetre. What would be the actual distance between two places $3\frac{1}{2}$ centimetres apart on the map?

5 Hassan's height is 120 centimetres, and his father's is 180 centimetres. What fraction of his father's height is Hassan's?

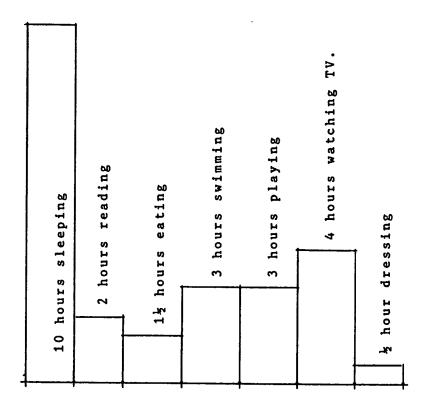
Hassan's father



Hassan



6) This table shows how Sami spent one day of his holiday.



What fraction of the 24 hours was spent altogether in sleeping and reading?

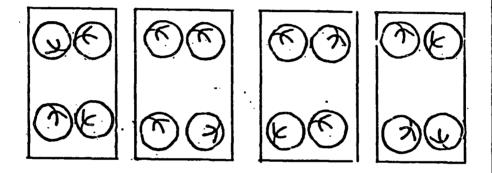
What fraction of the 24 hours was spent altogether in swimming and playing?

What fraction of the 24 hours was spent in watching T.V.?

Page 6

What fraction of the 24 hours was spent altogether in dressing, eating and sleeping.

7) There are 4 oranges in each box. How many oranges are there altogether?
"Write the Answer on the dotted line."



- 8) Make up a division sum which gives the answer 3.
- 9) Fill in the numbers missing from this addition sum.

Make up a subtraction sum which gives the answer 50.

____ = 50

11)

Make up a multiplication sum which gives the answer 50.

 $_{-}$ $_{-}$

12)

Draw rings round the numbers that can be exactly divided by 2.

53 44 33 25 30 304 546

13)

Draw a ring round each of the \underline{even} numbers.

30 42 3 5 7 89 18 87 32 13

14)

What kind of sum is this?

Draw a ring round your answer.

355 11 344

Addition Subtraction Multiplication Division

p	a	g	е	8
	_		_	

15) What kind of sum is this?
Draw a ring round your answer.

49

5

245

Addition Subtraction Multiplication Division

What does 55 - 33 equal?

17) 77 + A = 92

What number does A stand for?

18)

 $270 \div 15 = 18$

What is the answer to

270 ÷ 18

$$23 \times 14 = 322$$

This information will help you to answer the next question. Fill in the number missing from each sum.

$$23 \times 7 = ____$$

$$230 \times 14 = _{-}$$

20)

Study the two examples given.

Examples:

(a)
$$2 \times \begin{vmatrix} 3 \\ 8 \times \end{vmatrix} = 6$$

8 x | 3 | = 24

(b)
$$2 \times |6| = 12$$

 $8 \times |6| = 48$

Now write down the missing number

$$2 \times \boxed{15} = 30$$

21)

$$44 \times 37 = 1628$$

Using this information, do these questions:

$$4.4 \times 37 = _{---}$$

page 10

22)

24 times 26 equals 624.

What does 624 divided by 24 equal?

$$24 \times 26 = 624$$

23)

There is a number missing from each of these sums. Write the missing numbers on the dotted lines.

$$12 \quad x \qquad = \quad 168$$

$$8 \times = 24$$

$$32 - 17 = 8 +$$

Here are four boxes of pencils.

There are ten pencils in each box.

If 31 children were each given a pencil,
how many pencils would be left?

10

10

pencils

31 pencils

___pencils

25)

This table gives the dates of birth of five children.

	day	month	year
Ahmed	13th	March	1957
Hassan	22nd	January	1952
Sami	15th	June	1952
Rami	16th	August	1957
Saad	26th	February	1955

Who is the eldest?

Who is the youngest?

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26)

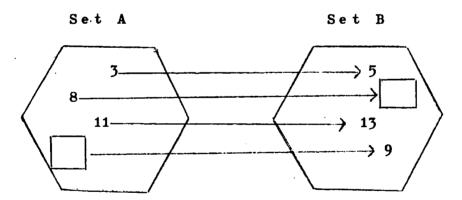
Write these numbers in order, starting with the smallest.

92 13 43 34 29 31 77

27)

Each number in set A is related by the same rule to a number in set B.

Fill in the missing numbers.



28)

Fill in the missing numbers in these series:-

- (a) 4, 8, 12, ___, 20, 24, ___, 32
- (b) 1, 10, 11, 20, ___, 30, 31, 40, 41

page 13

29)

Put the following fractions in the boxes in order of size, starting with the smallest.

 $\frac{1}{2}$ $\frac{1}{6}$ $\frac{1}{9}$ $\frac{1}{4}$ $\frac{1}{3}$ $\frac{1}{5}$ $\frac{1}{7}$ $\frac{1}{8}$

1				i		
1						
1						
	1	1	1		1	1
-			 			

30)

In each of these sums one of the signs + - + x is missing. Write the missing signs in the boxes. The first one has been done for you.

$$2 \times 8 = 20 - 4$$

$$4 + 6 = 16 \square 6$$

$$6 + 4 = 2 \square 5$$

$$30 + 5 = 9 \square 3$$

Fill in the missing number -

$$9 \times 9 = 81$$

$$9 \times 99 = 891$$

$$9 \times 999 = 8991$$

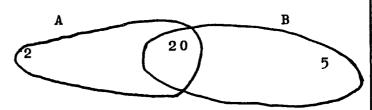
$$9 \times 9999 = ____$$

$$9 \times 99999 =$$

32)

Set A contains all numbers that can be divided by 2.

Set B contains all numbers that can be divided by 5.



Some numbers have been put in already.

Put the numbers 4, 6, 10, 25 and 18 into their proper places in the diagram.

. 33)

Here are four statements. One does not make sense. Underline it.

A number is more than 9+4 and less than 9×2 A number is more than 3+3 and less than 2×3 A number is more than 8-4 and less than 8+4A number is more than 25+5 and less than 3+5

34)

21 42 105

The three numbers above are alike in some ways.

Underline the ways in which they are alike.

They can all be divided exactly by 3 and 7
They can all be divided exactly by 13
They are all odd numbers

They can all be divided exactly by 8 and 9
They can all be divided exactly by 21

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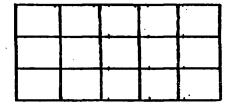
35)

The numbers in the top row go with the numbers in the bottom row in a certain way. Fill in the missing numbers.

10	18	4	22			64	
5	9 ,		11	12	4	32	40

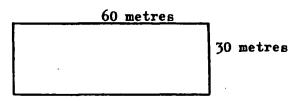
36)

Shade in $\frac{1}{3}$ of this rectangle.



37)

How many metres would be needed to go right round this rectangle?



____ metres

M = 20

Y = a whole number between 1 and 100.

I want to find the value of M x Y.

Draw a ring round the <u>one</u> number below which is the only possible correct answer.

35 100 43 54 309

39)

The letter L stands for any whole number greater than 1.

I want to find the value of 15 + L.

Draw rings round the \underline{two} numbers below that cannot possibly be correct answers.

12 14 99 53 82 94

Now I want to find the value of 63-L.

Draw rings round the <u>two</u> numbers below that cannot possibly be correct answers.

33 22 17 55 77 82

An aeroplane flys 13 hours at a speed of 385 kilometres per hour. How many hours would the aeroplane take if it flew at a speed of 455 kilometres per hour?

_ _ _ hours

41)

Peter works in a shoe shop. He had £752-10 to buy shoes for the shop. He bought shoes costing 5 pounds per pair and has 210 pence left. How many pairs of shoes has he bought?

Mick bought 1225 pounds of grapes at 6 pence per pound. 25 pounds were bad, but he sold the rest. He found that his profit was 450 pence. How much per pound did he sell them?

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